

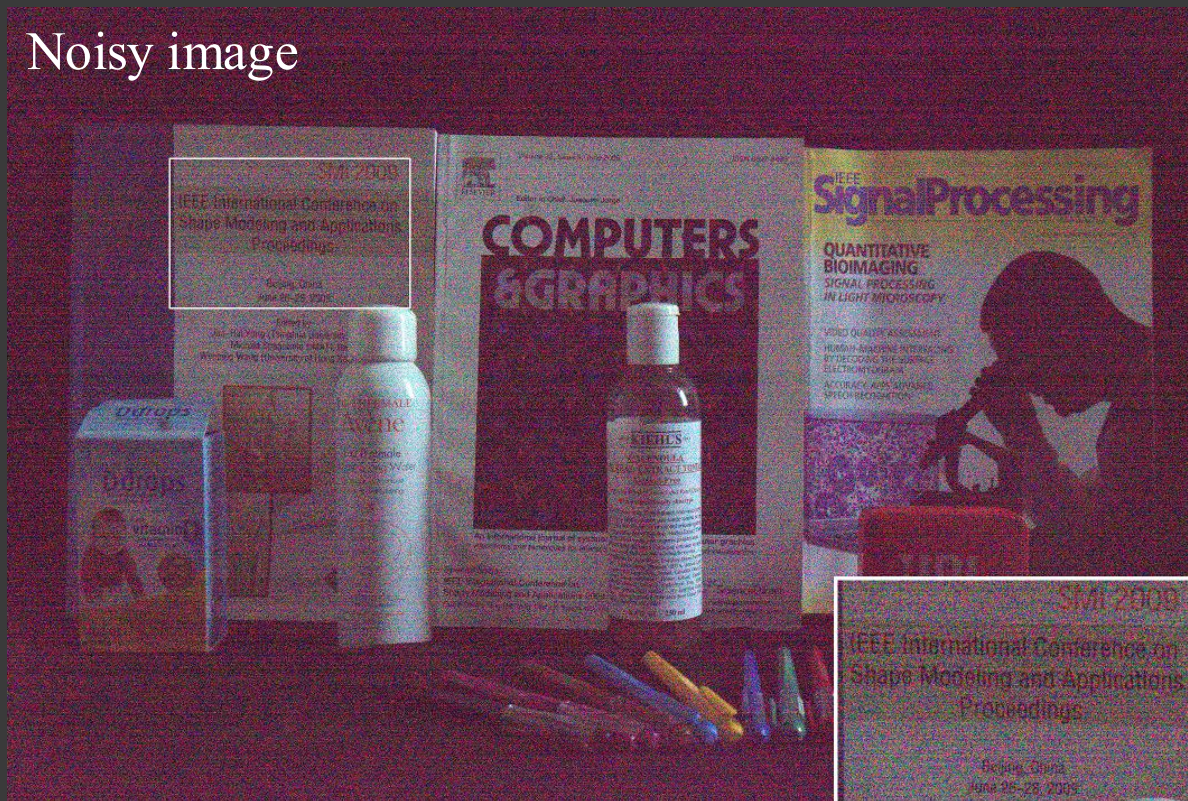
Dark Noise Diffusion: Synthèse de bruit par modèle de diffusion pour la restauration d'images en basse luminosité

Liying Lu, Raphaël Achddou, Sabine Süsstrunk

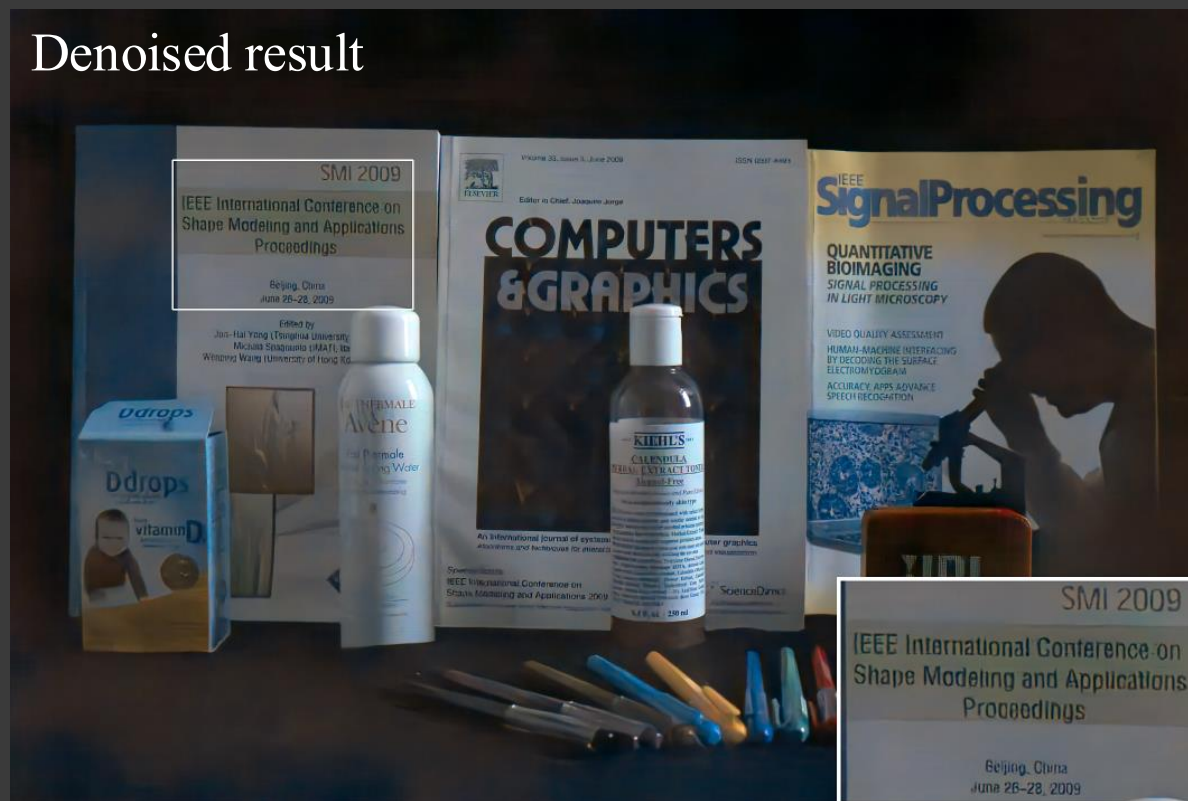
IVRL, EPFL

Low-Light Denoising

Noisy image



Denoised result

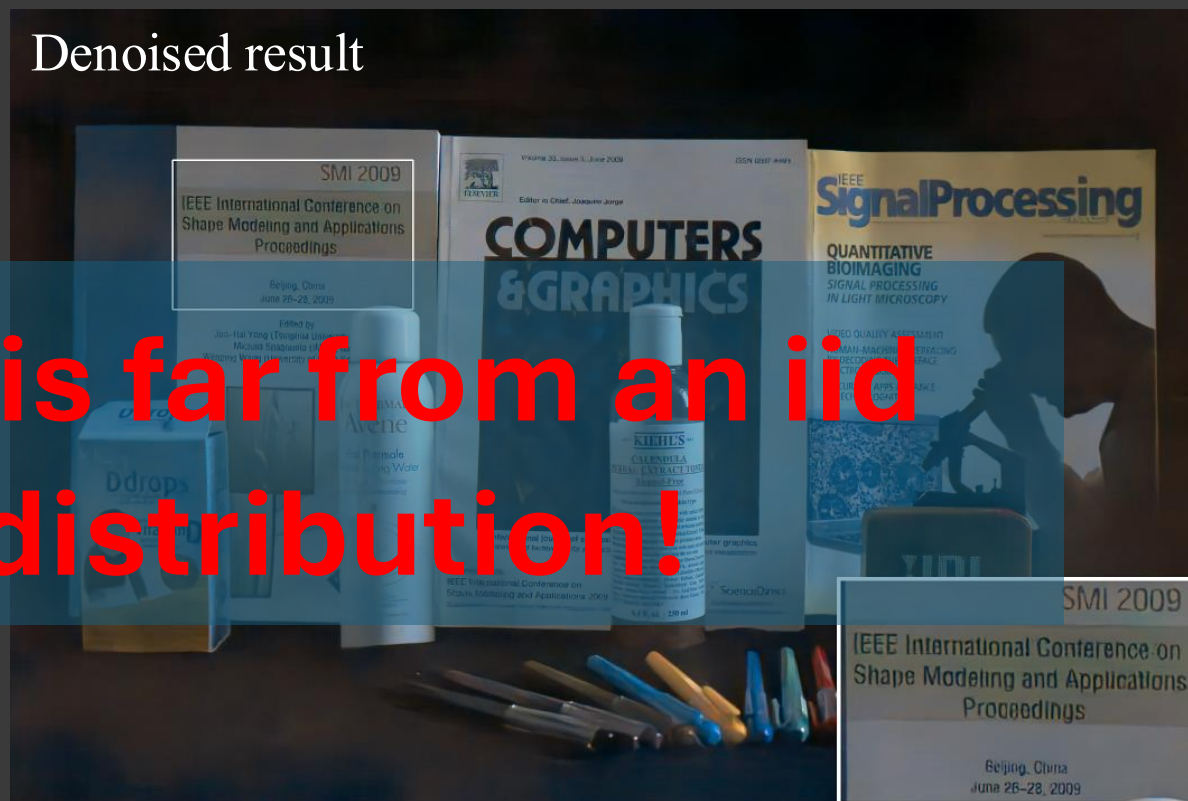


Low-Light Denoising

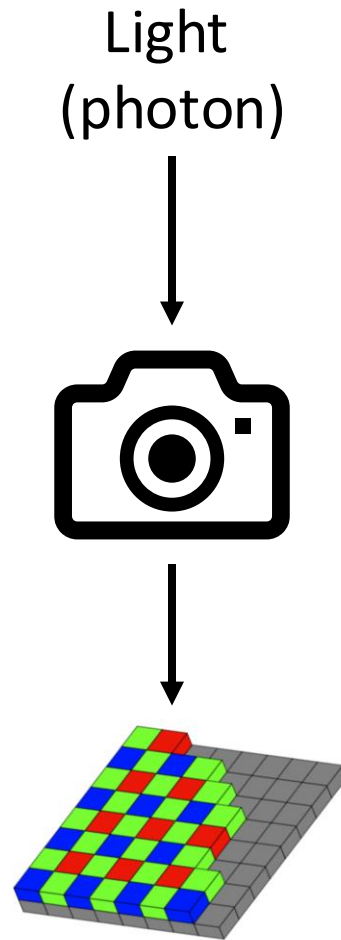
Noisy image



Denoised result



Noise Source



Photon (shot) noise

Dark current noise

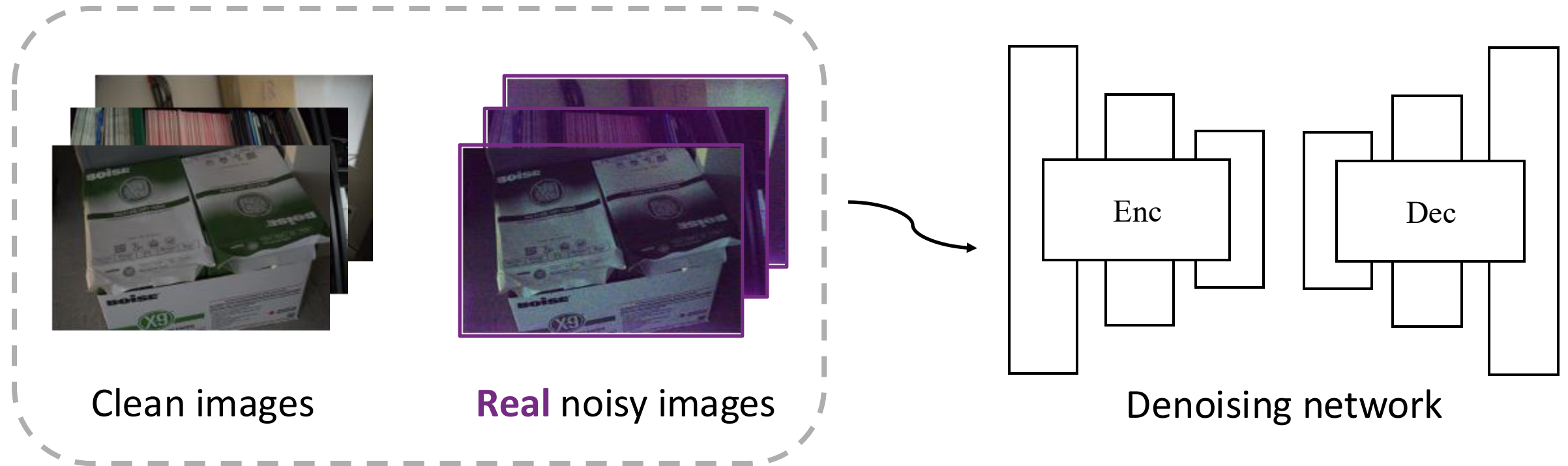
Read noise

Banding pattern noise

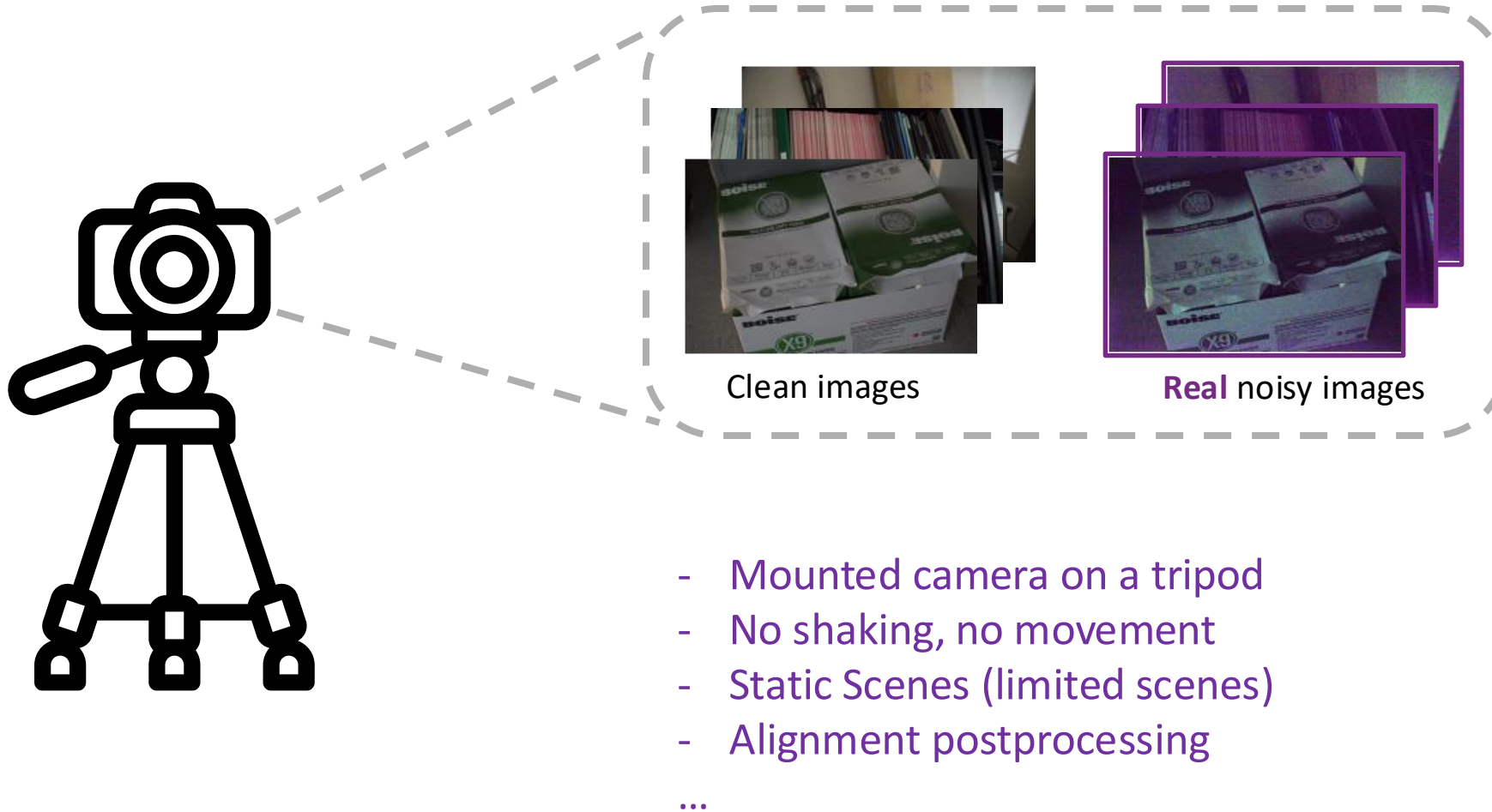
Quantization noise

...

Real Paired Data



How Do We Collect Those Paired Data?



Synthetic Paired Data

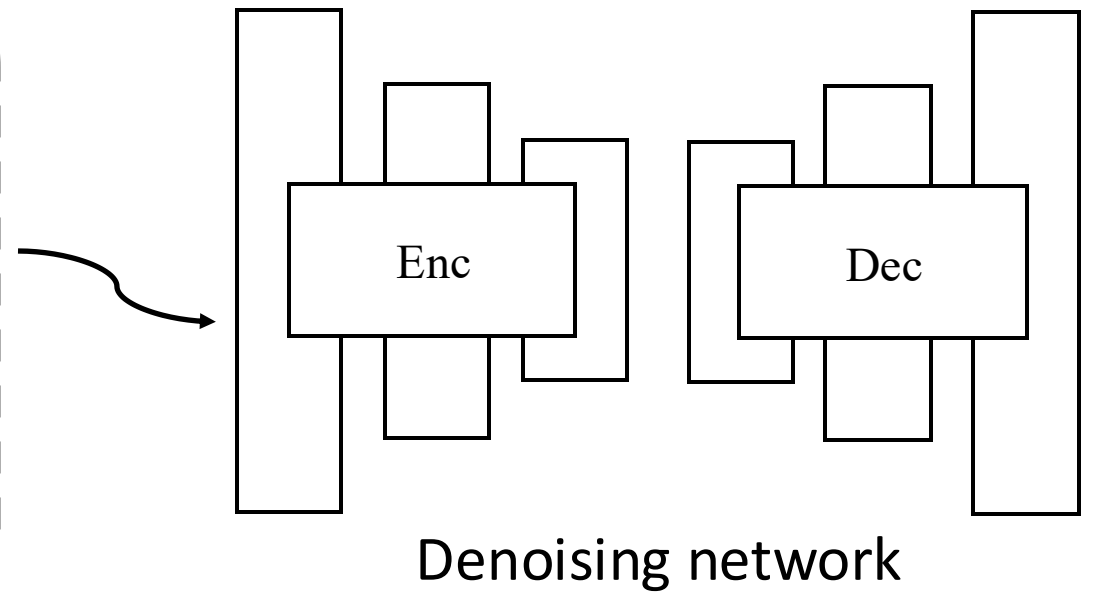
- Generate as much data as we want!
- Not limited to static scenes
- Less labor-intensive



Clean images



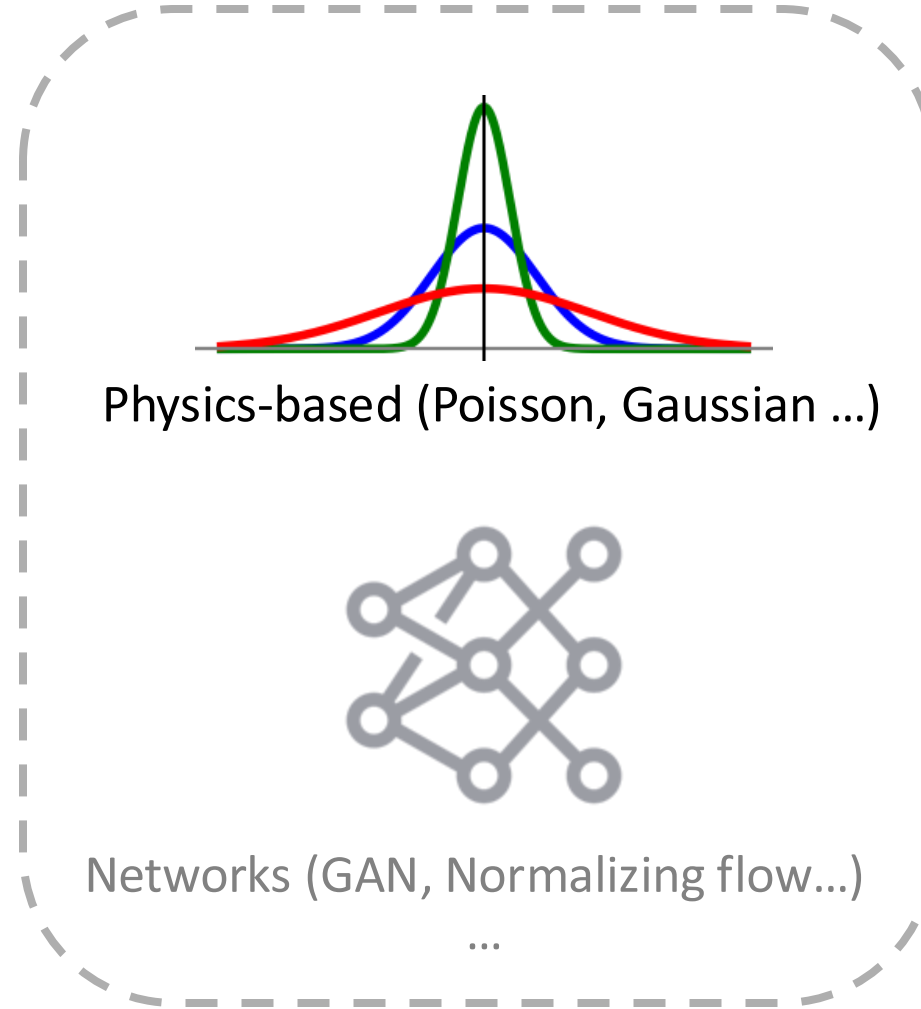
Synthetic noisy images



How Do We Synthesize Clean-Noisy Pairs?

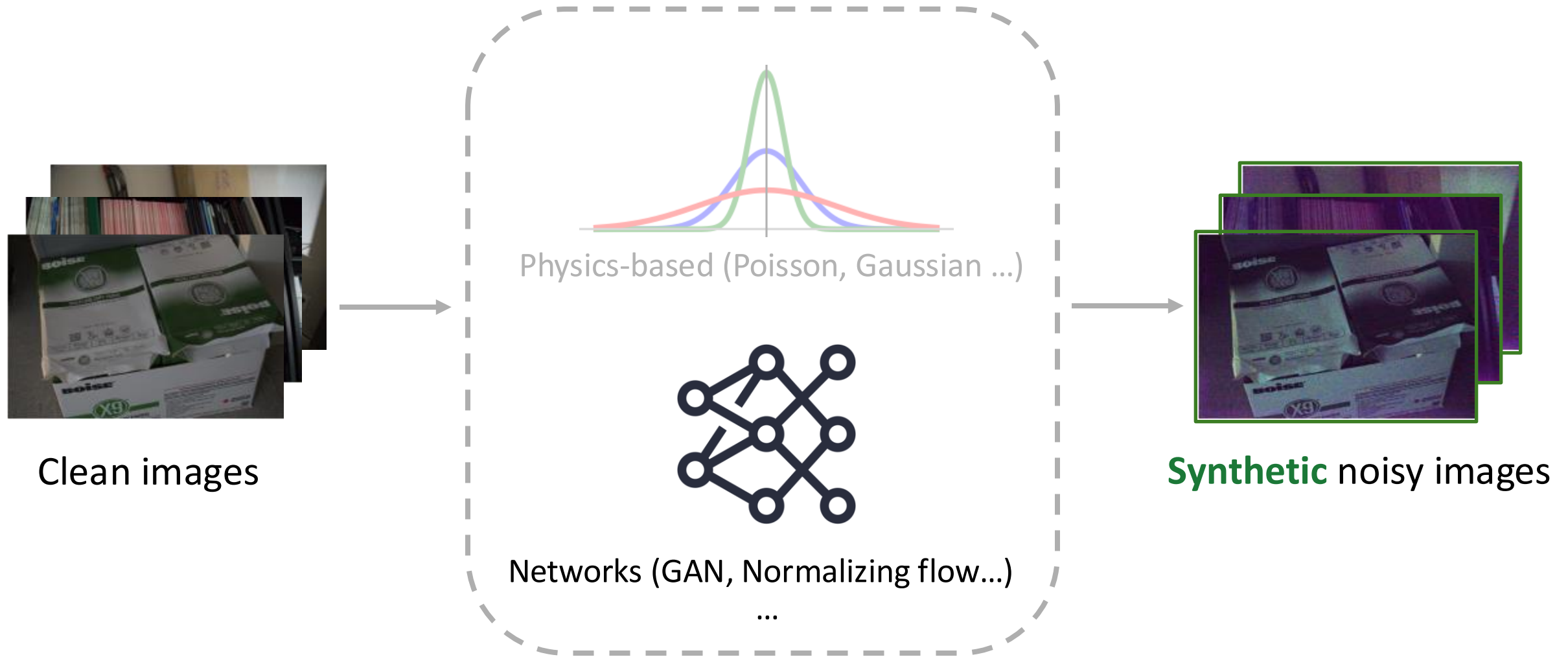


Clean images



Synthetic noisy images

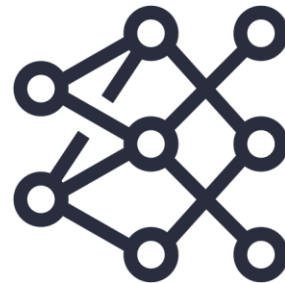
How Do We Synthesize Clean-Noisy Pairs?



How Do We Synthesize Clean-Noisy Pairs?



Clean images



Diffusion models?

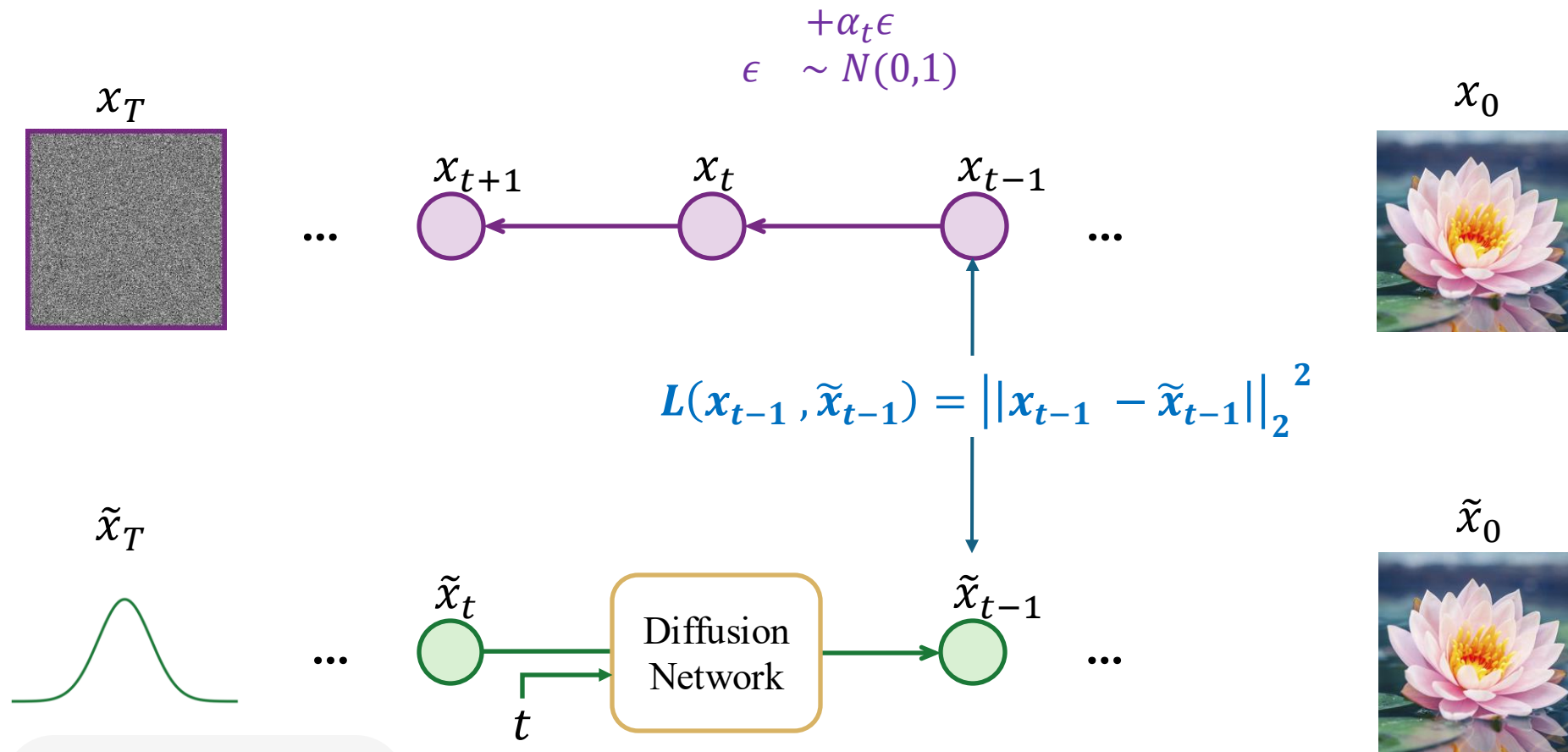


Synthetic noisy images



Framework

Diffusion Models basics

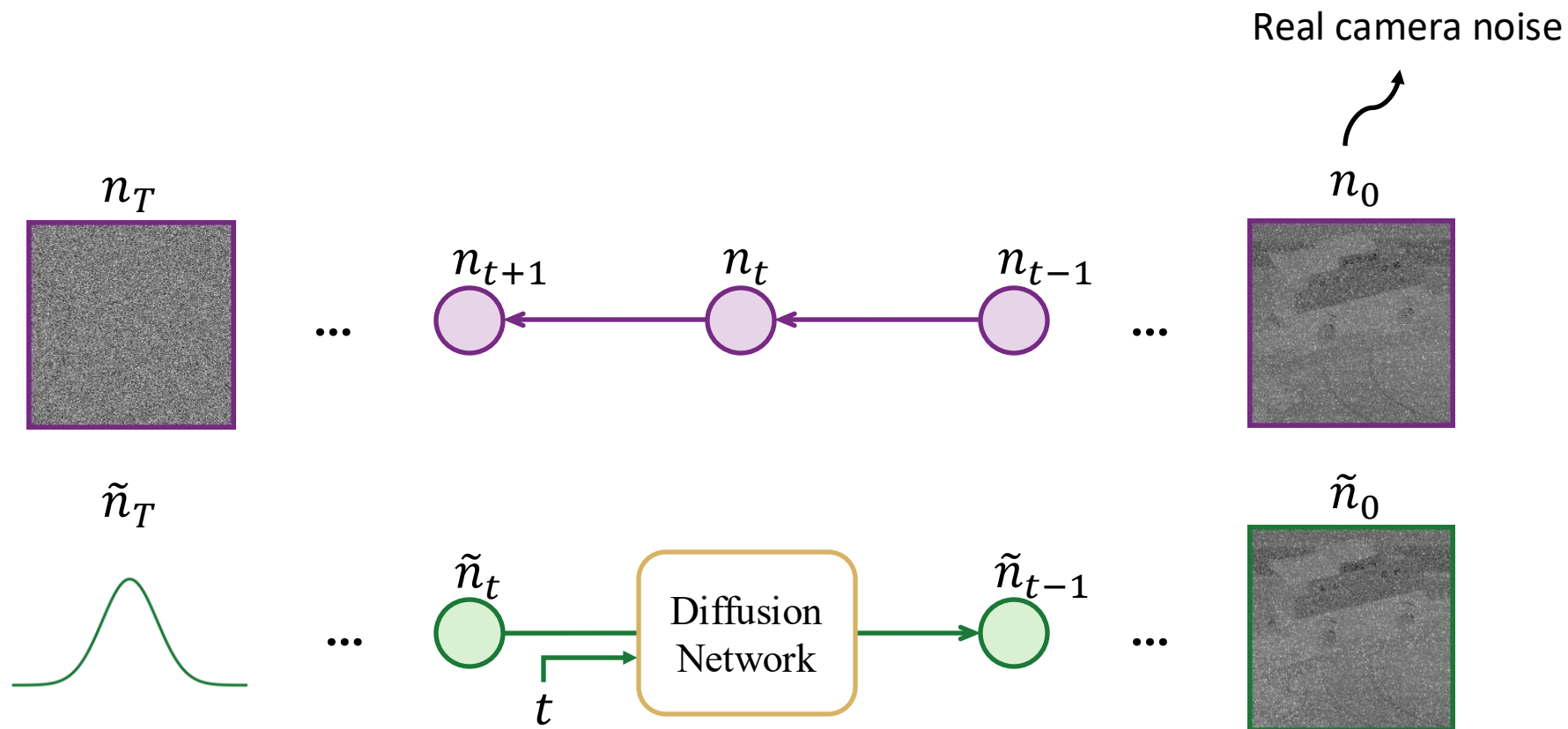


t : diffusion timestep

← Forward Process

→ Reverse Process

Diffusion Framework

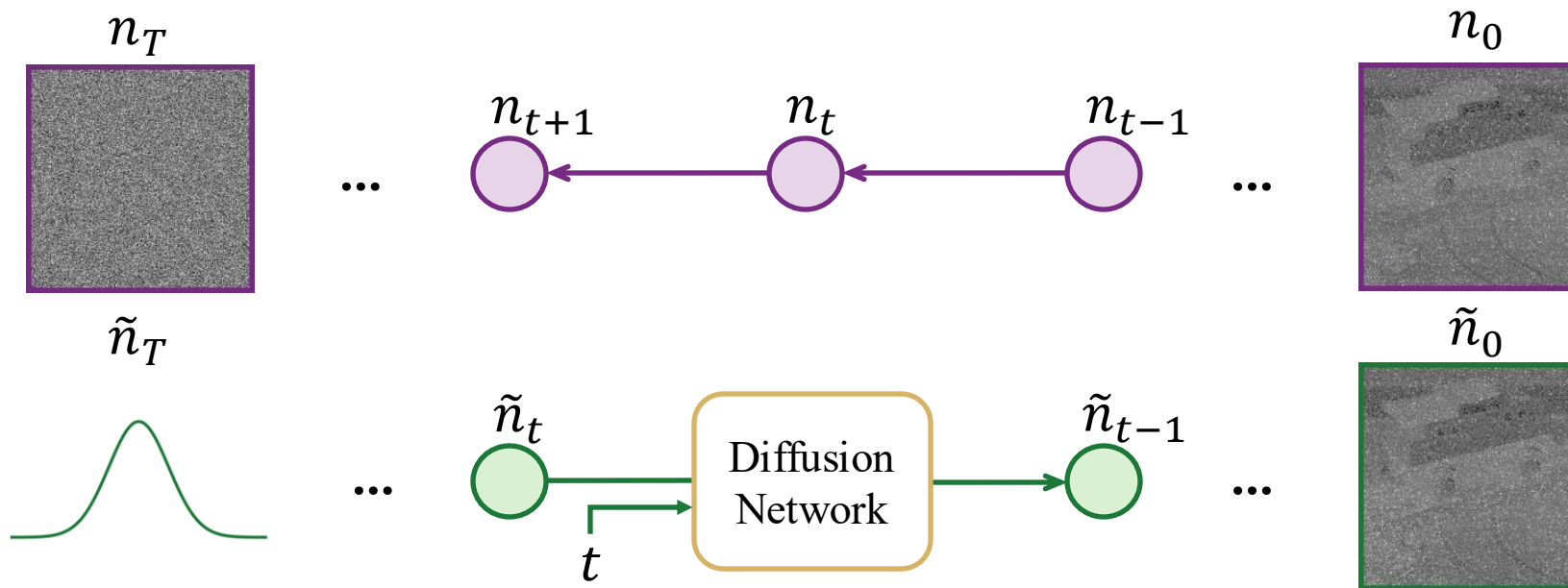


Diffusion Framework

Signal dependence

Camera setting aware

Spatially-correlated noise modeling



t : diffusion timestep

← Forward Process

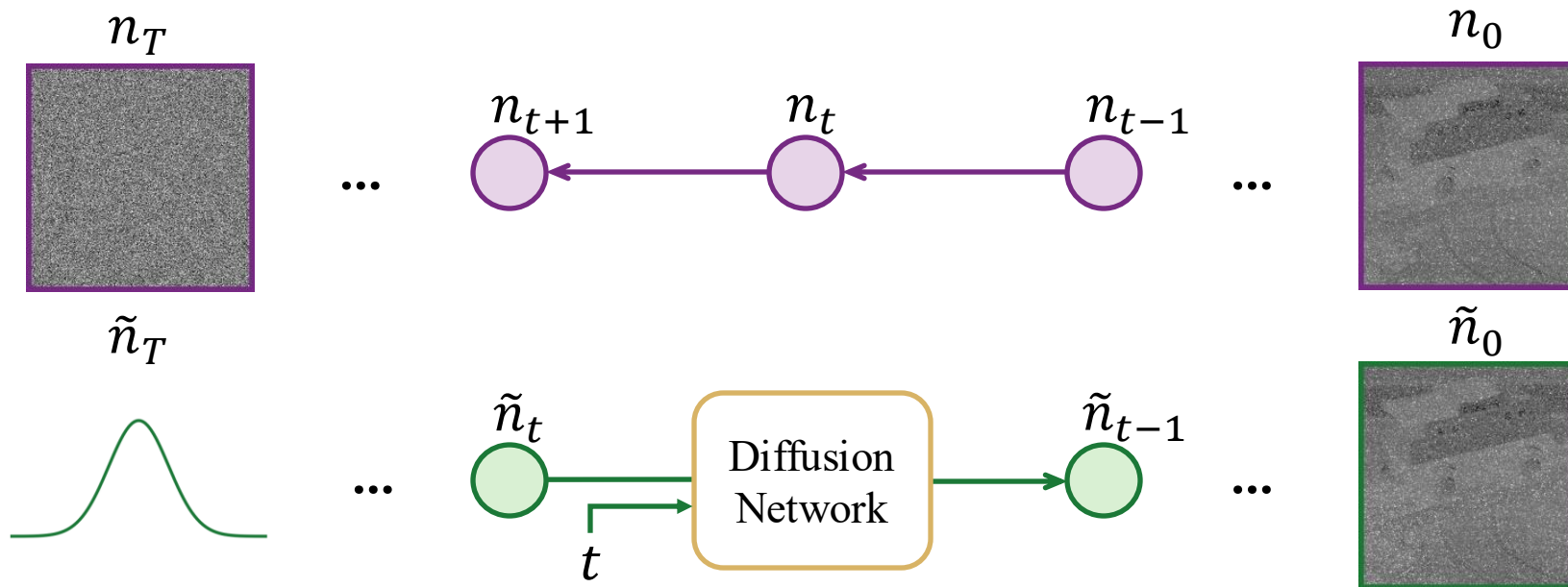
→ Reverse Process

Diffusion Framework

Signal dependence

Camera setting aware

Spatially-correlated noise modeling



t : diffusion timestep

← Forward Process

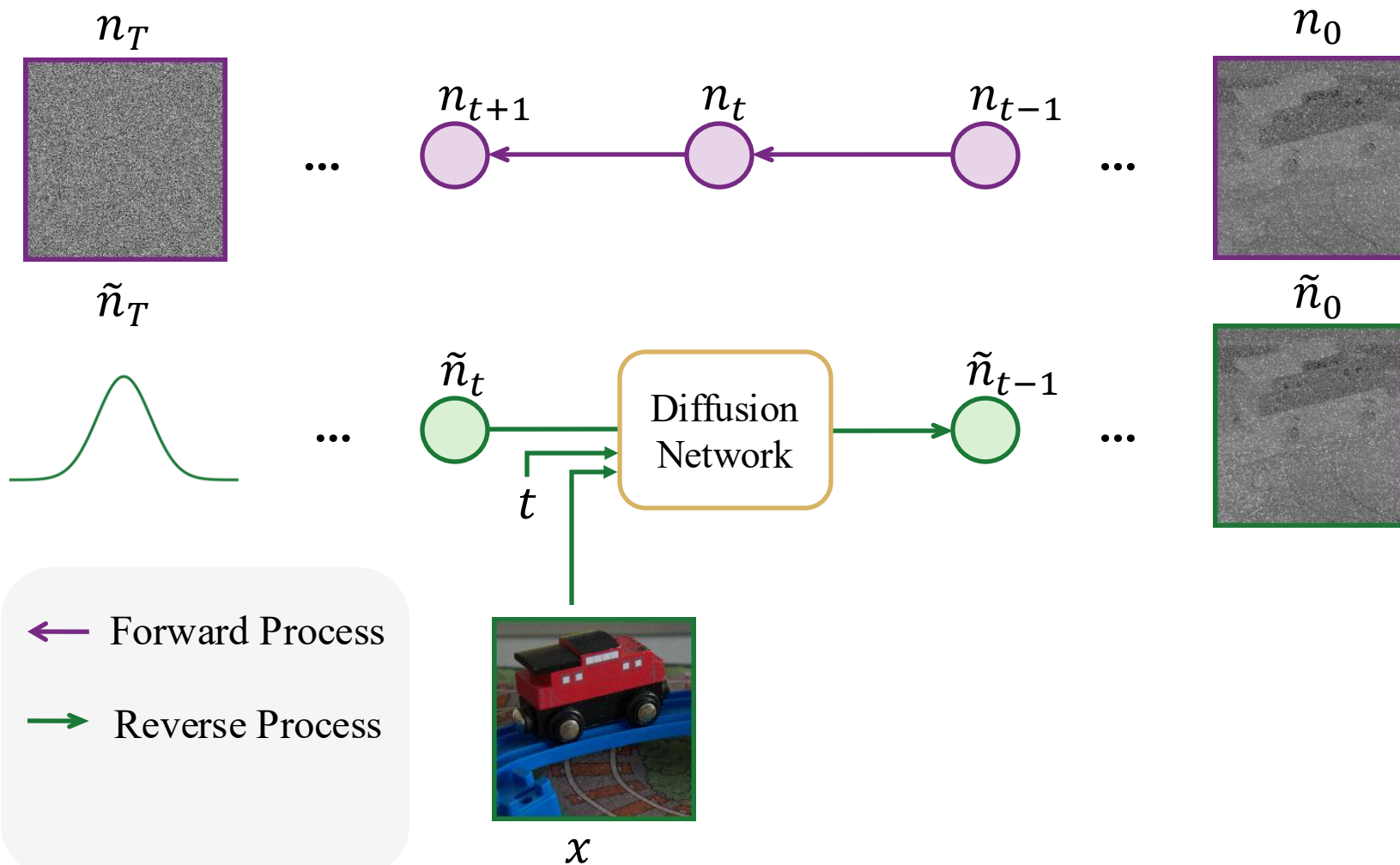
→ Reverse Process

Diffusion Framework

Signal dependence ✓

Camera setting aware

Spatially-correlated noise modeling

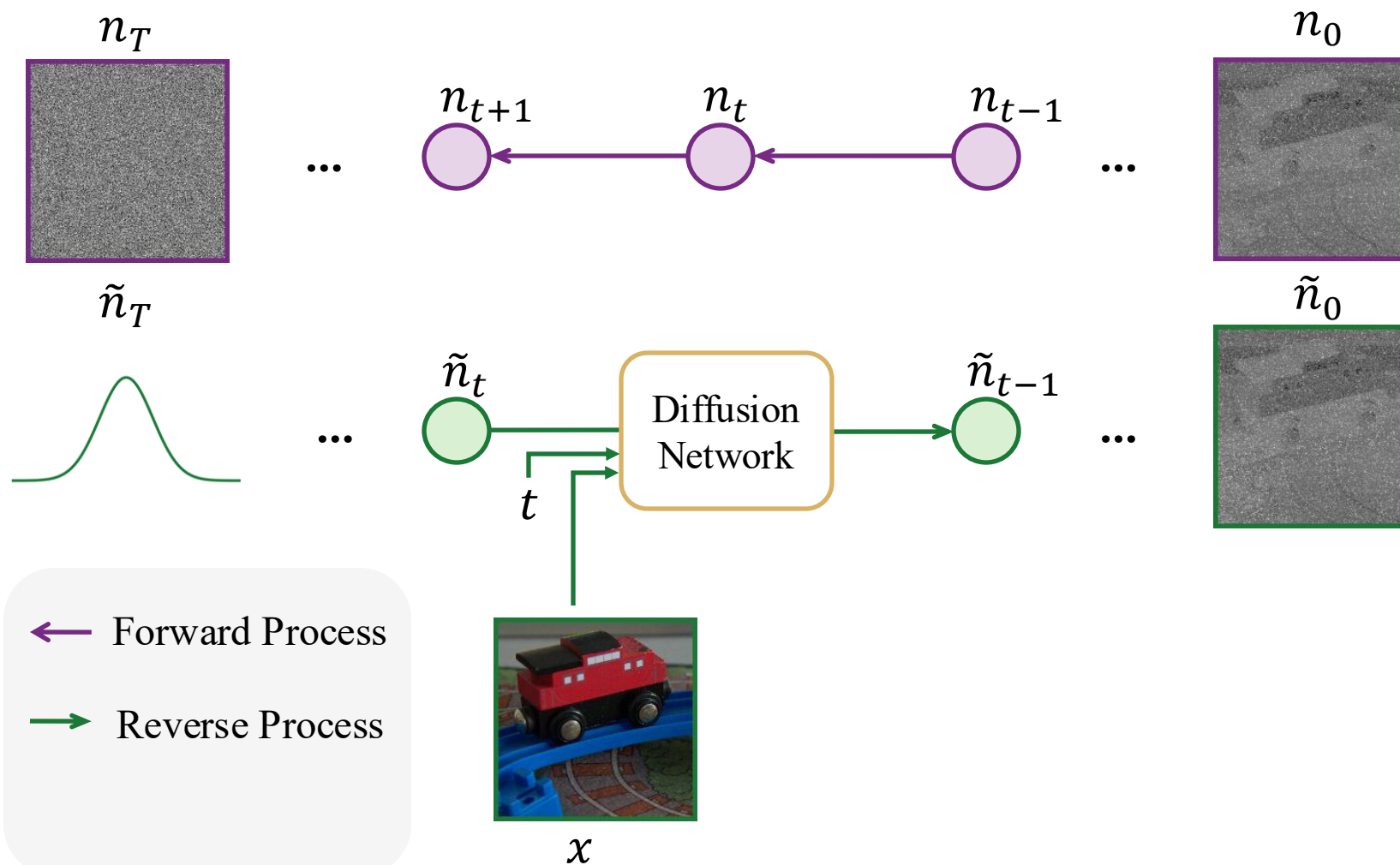


Diffusion Framework

Signal dependence ✓

Camera setting aware

Spatially-correlated noise modeling

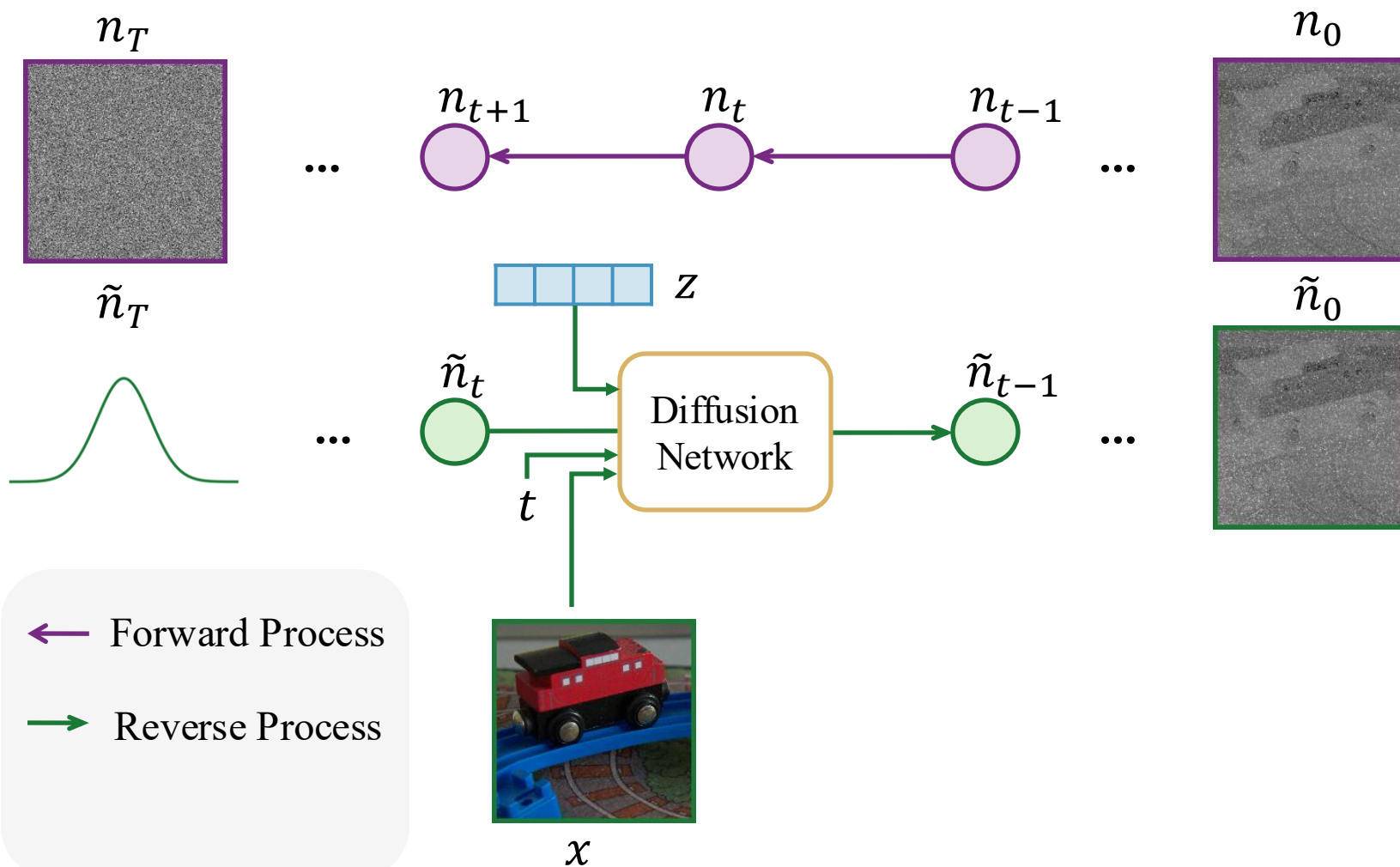


Diffusion Framework

Signal dependence ✓

Camera setting aware ✓

Spatially-correlated noise modeling

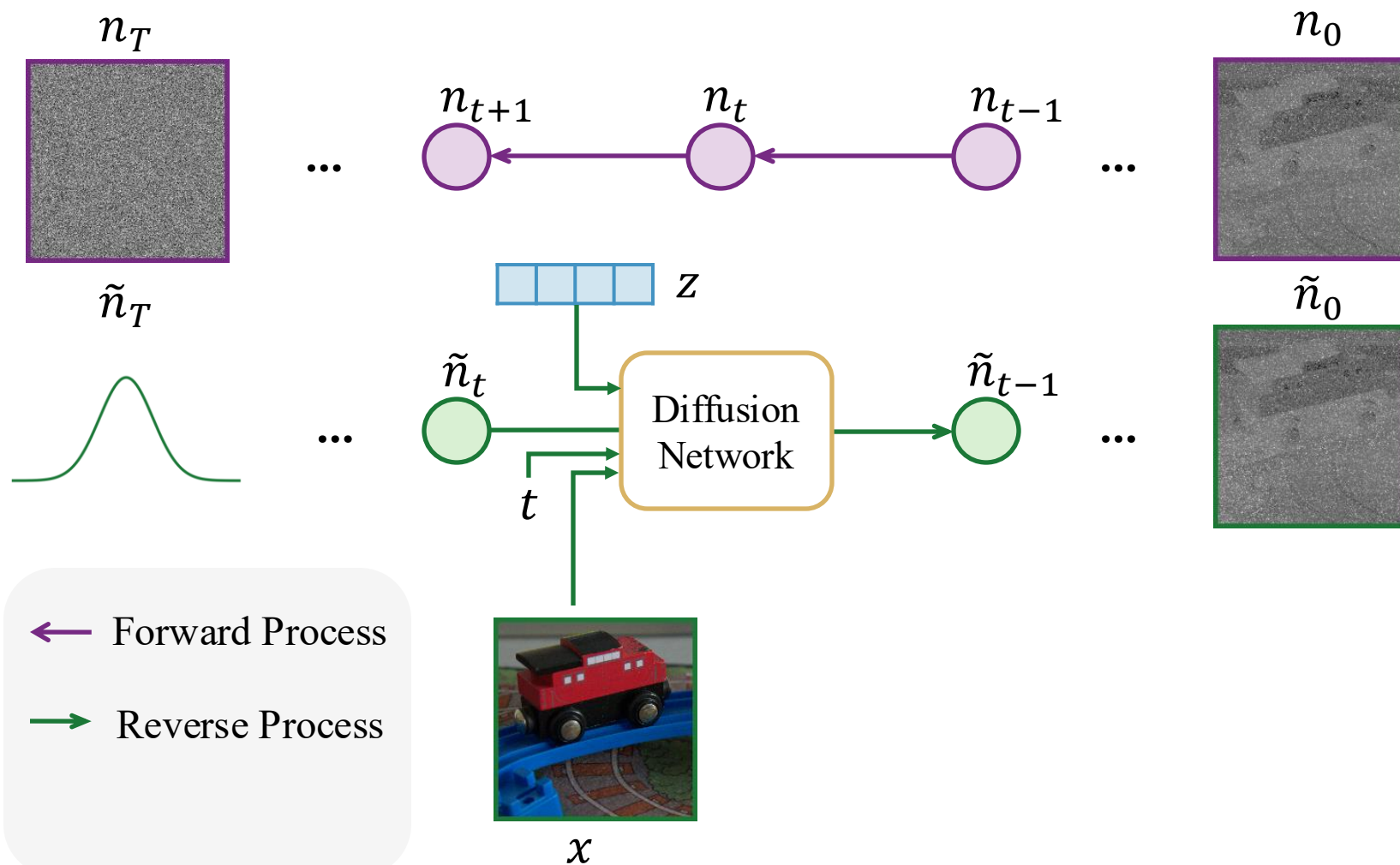


Diffusion Framework

Signal dependence ✓

Camera setting aware ✓

Spatially-correlated noise modeling



Diffusion Framework

Spatially-correlated noise

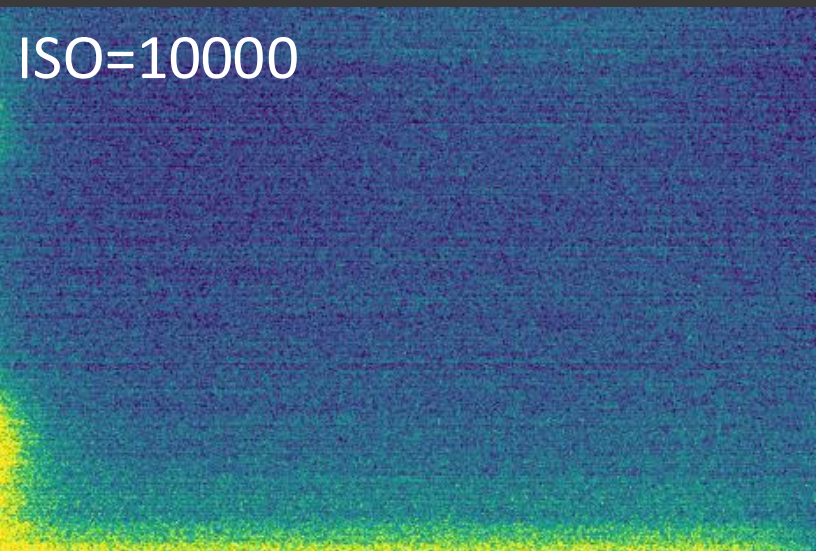
ISO=500

A square image showing a dark blue background with very fine, sparse horizontal lines of slightly lighter blue, representing low-level spatially-correlated noise at ISO 500.

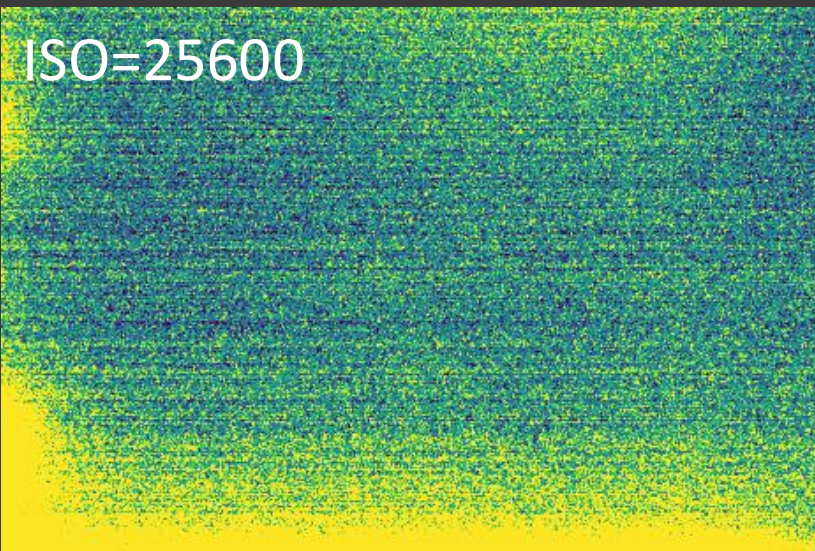
ISO=1000

A square image showing a medium blue background with more distinct horizontal lines of slightly lighter blue, representing low-level spatially-correlated noise at ISO 1000.

ISO=10000

A square image showing a dark blue background with a dense pattern of horizontal lines of slightly lighter blue, representing low-level spatially-correlated noise at ISO 10000.

ISO=25600

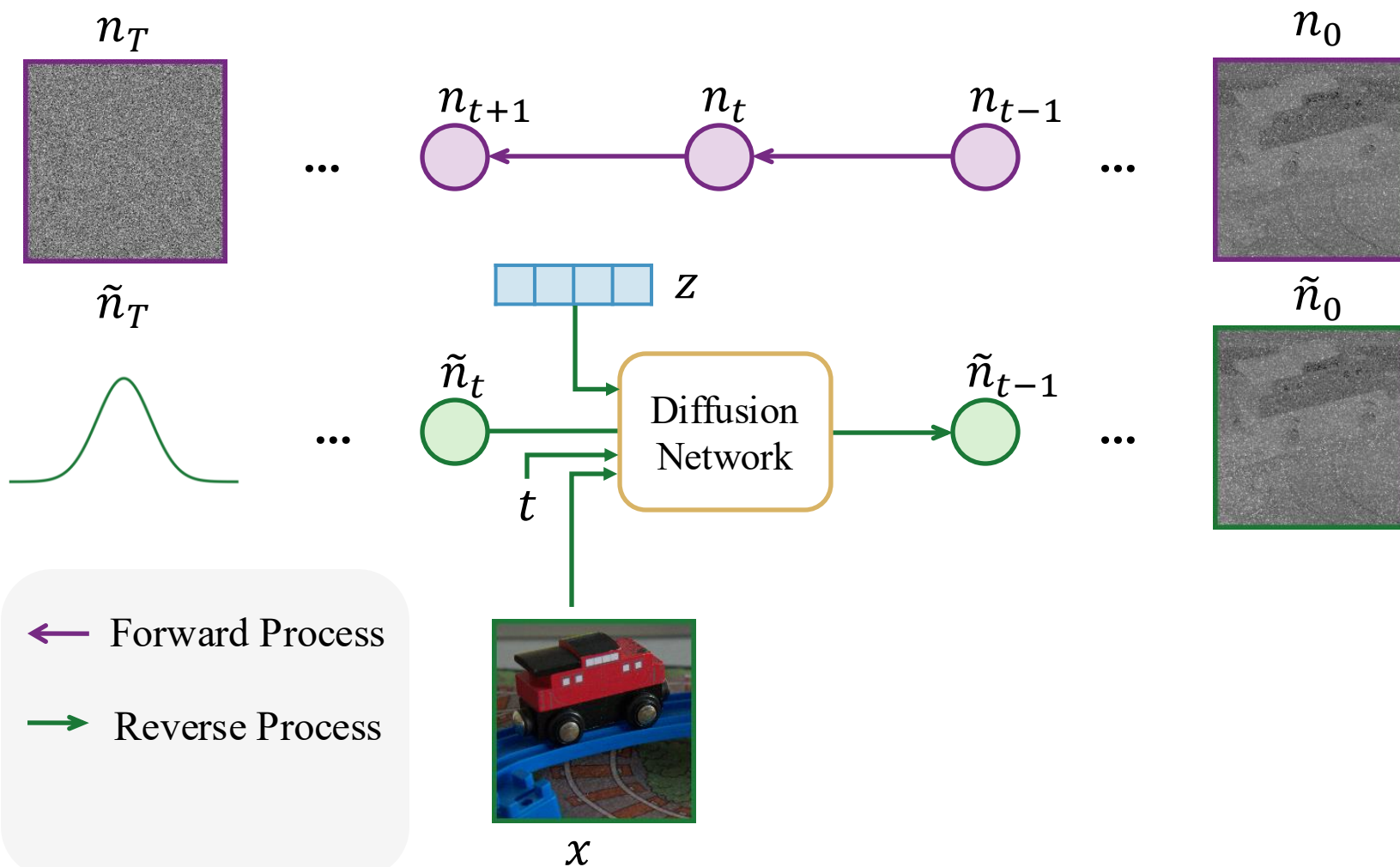
A square image showing a dark blue background with a very dense pattern of horizontal lines of slightly lighter blue, representing low-level spatially-correlated noise at ISO 25600.

Diffusion Framework

Signal dependence ✓

Camera setting aware ✓

Spatially-correlated noise modeling

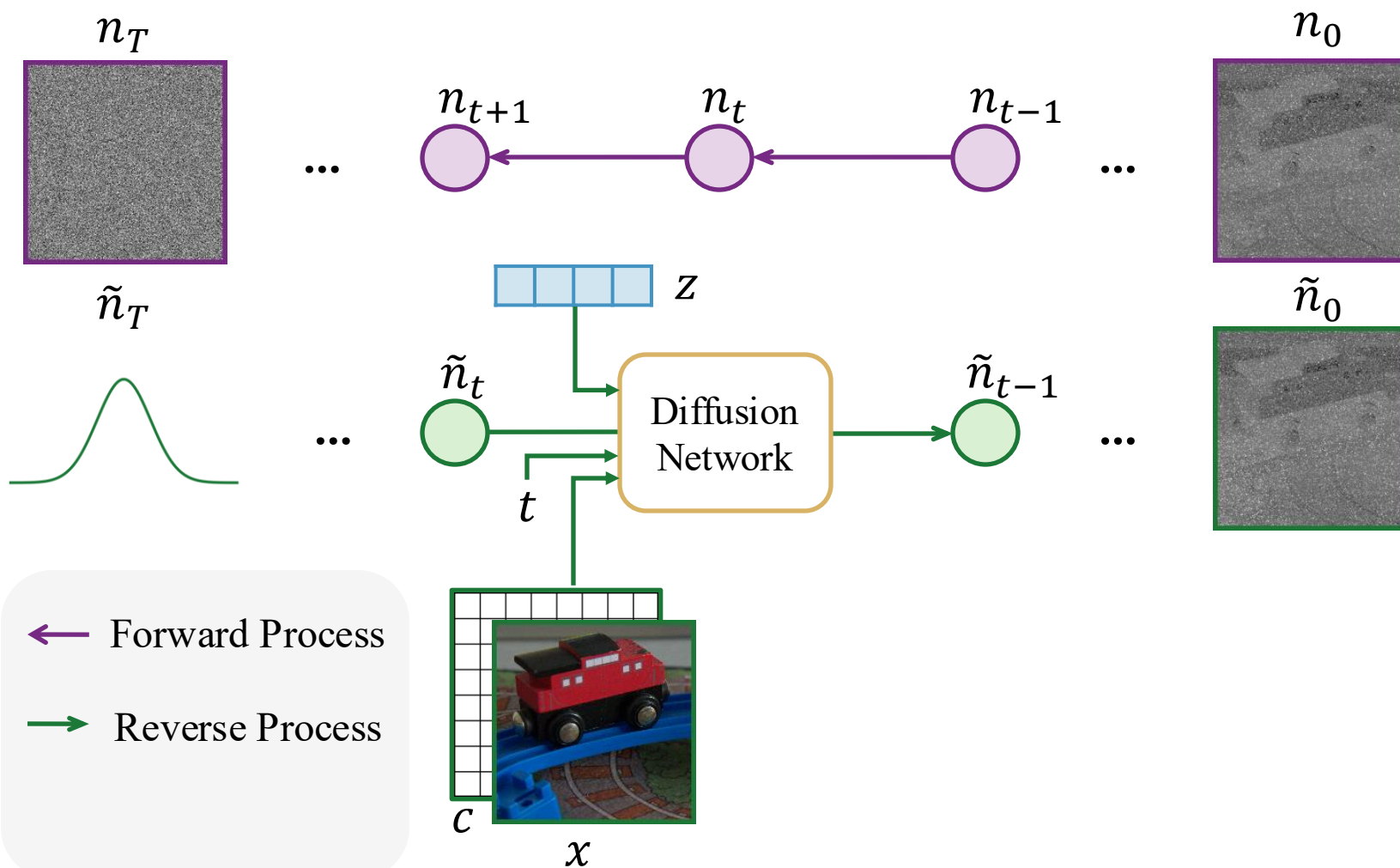


Diffusion Framework

Signal dependence ✓

Camera setting aware ✓

Spatially-correlated noise modeling ✓

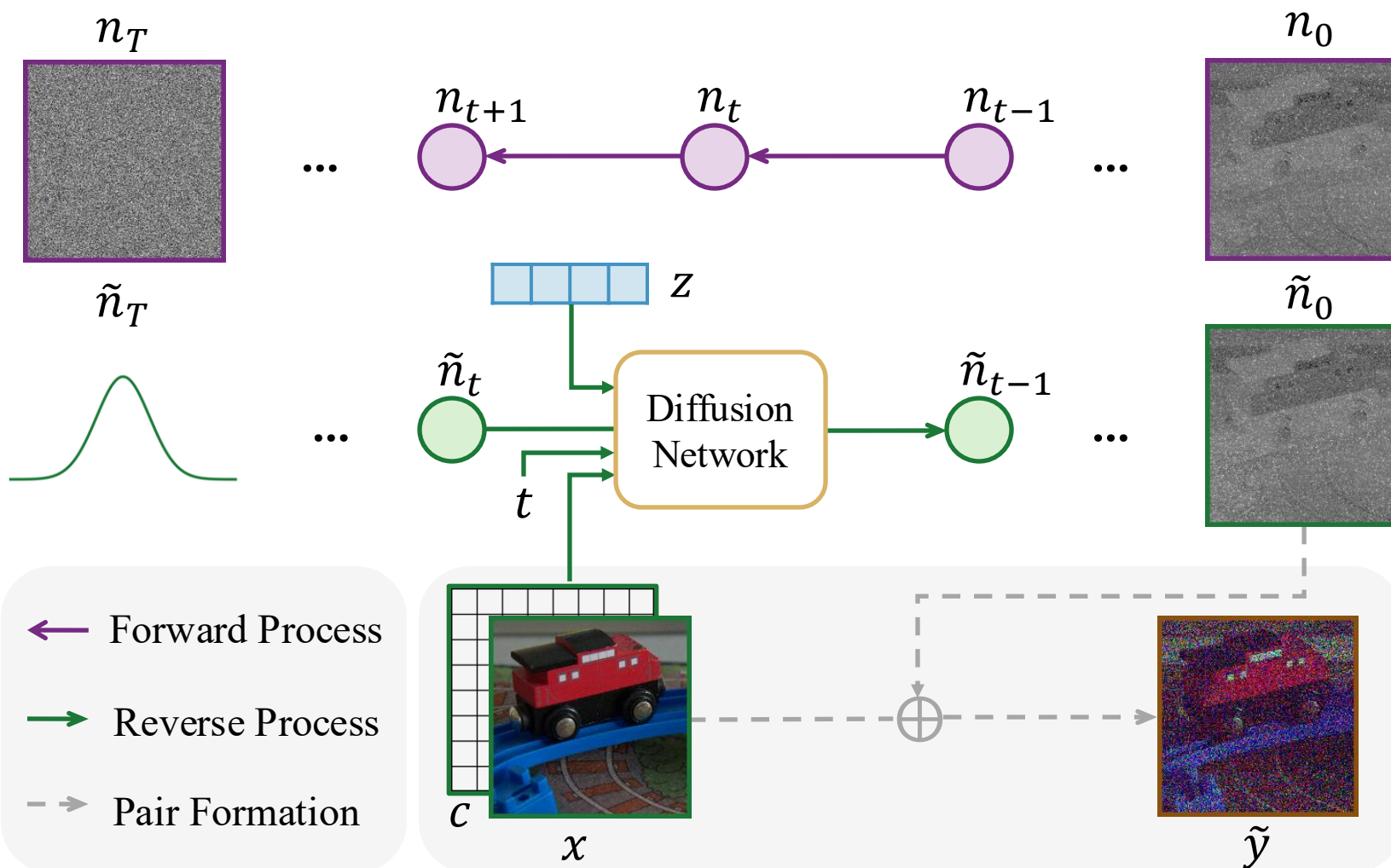


Diffusion Framework

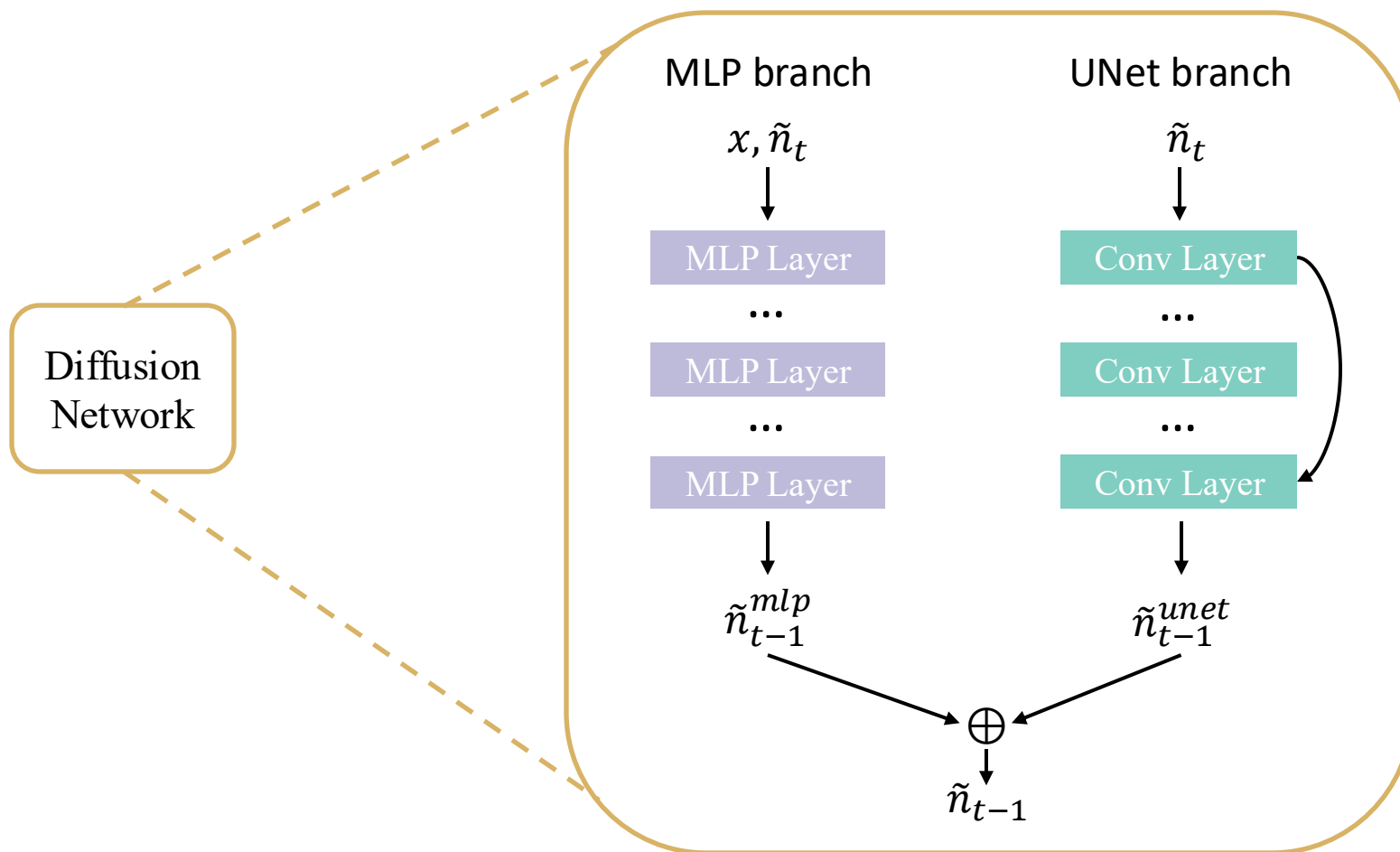
Signal dependence ✓

Camera setting aware ✓

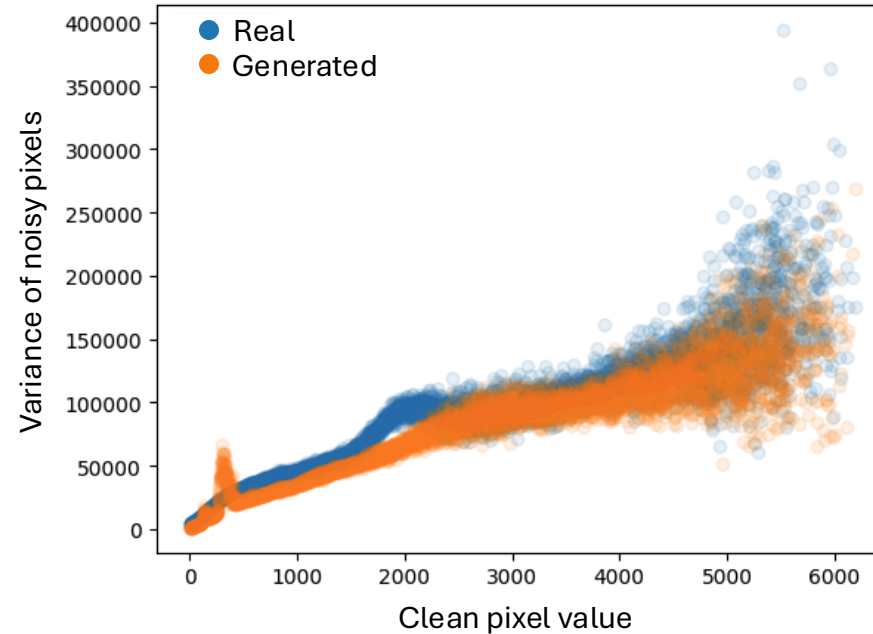
Spatially-correlated noise modeling ✓



Two-Branch Network Architecture



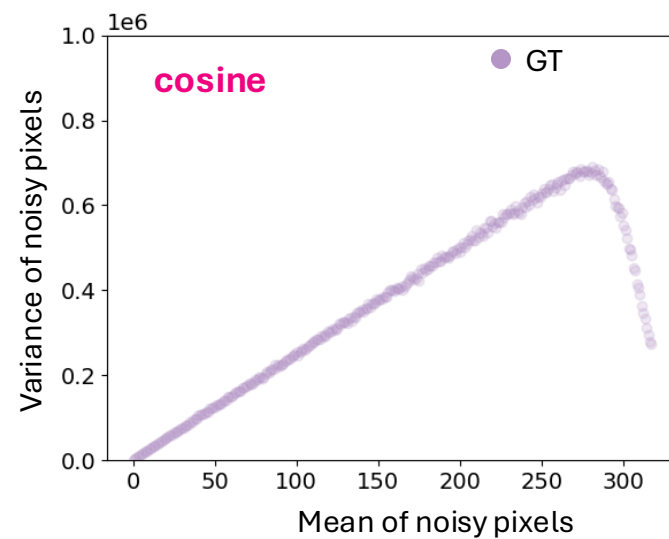
Diffusion Model Tends to Smoothen the Noise Distribution



The diffusion model tends to smoothen the generated low-light noise distribution. The variance of the **generated** noise data is smaller than that of the **real** noise data

Different Diffusion Noise Schedules on 1D Poisson Distribution

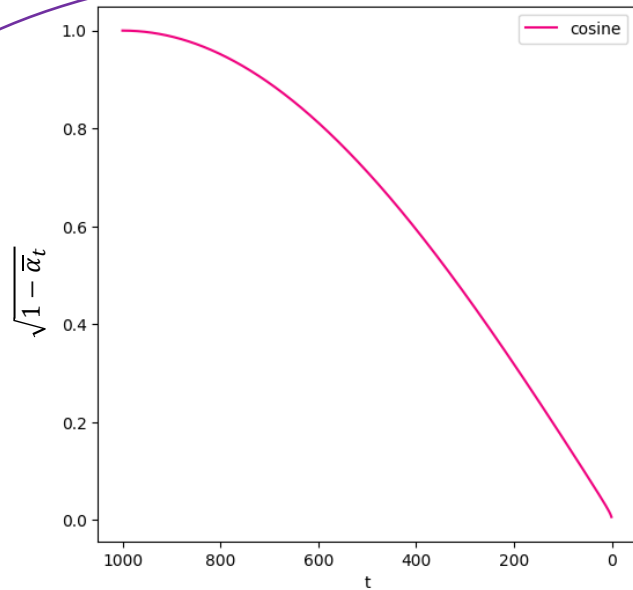
A toy example



Different Diffusion Noise Schedules on 1D Poisson Distribution

A toy example

$$\begin{aligned}\mathbf{x}_t &= \sqrt{\alpha_t} \mathbf{x}_{t-1} + \sqrt{1 - \alpha_t} \epsilon_{t-1} \\ &= \sqrt{\alpha_t \alpha_{t-1}} \mathbf{x}_{t-2} + \sqrt{1 - \alpha_t \alpha_{t-1}} \bar{\epsilon}_{t-2} \\ &= \dots \\ &= \sqrt{\bar{\alpha}_t} \mathbf{x}_0 + \boxed{\sqrt{1 - \bar{\alpha}_t}} \epsilon\end{aligned}$$



Reverse Process



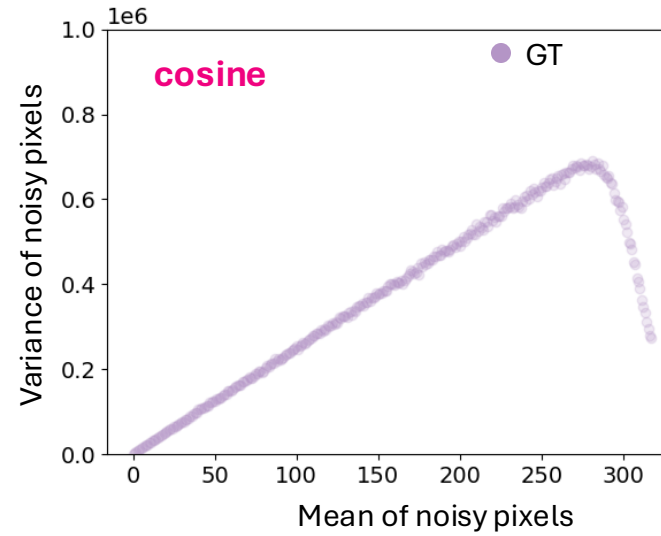
x_{999}



x_t



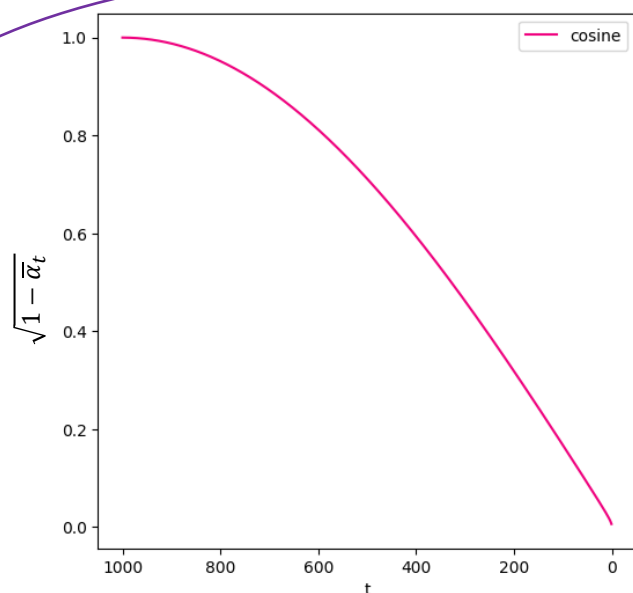
x_0



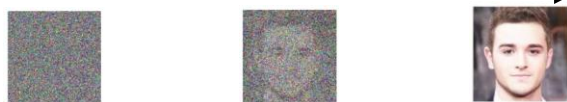
Different Diffusion Noise Schedules on 1D Poisson Distribution

A toy example

$$\begin{aligned}\mathbf{x}_t &= \sqrt{\alpha_t} \mathbf{x}_{t-1} + \sqrt{1 - \alpha_t} \epsilon_{t-1} \\ &= \sqrt{\alpha_t \alpha_{t-1}} \mathbf{x}_{t-2} + \sqrt{1 - \alpha_t \alpha_{t-1}} \bar{\epsilon}_{t-2} \\ &= \dots \\ &= \sqrt{\bar{\alpha}_t} \mathbf{x}_0 + \sqrt{1 - \bar{\alpha}_t} \epsilon\end{aligned}$$



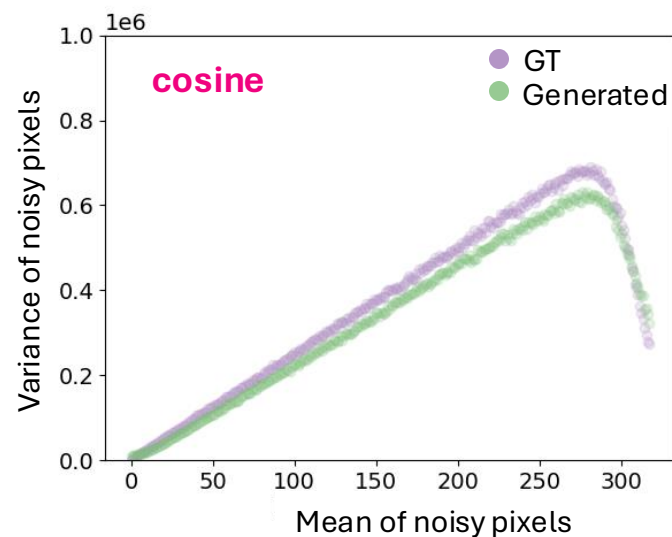
Reverse Process



x_{999}

x_t

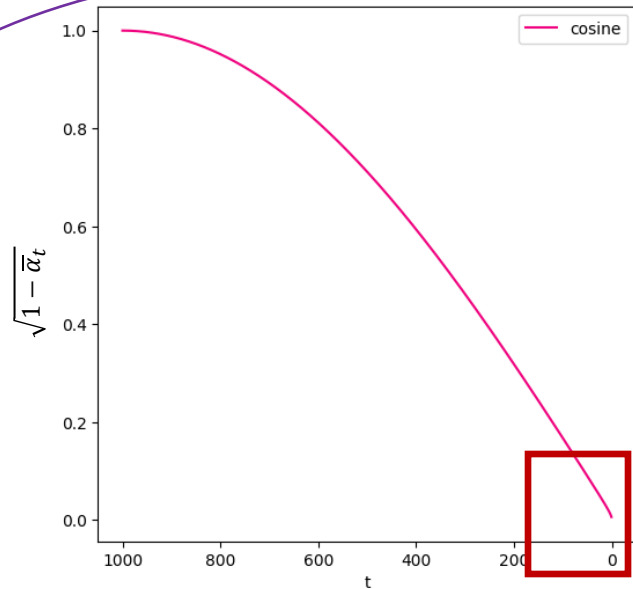
x_0



Different Diffusion Noise Schedules on 1D Poisson Distribution

A toy example

$$\begin{aligned} \mathbf{x}_t &= \sqrt{\alpha_t} \mathbf{x}_{t-1} + \sqrt{1 - \alpha_t} \epsilon_{t-1} \\ &= \sqrt{\alpha_t \alpha_{t-1}} \mathbf{x}_{t-2} + \sqrt{1 - \alpha_t \alpha_{t-1}} \bar{\epsilon}_{t-2} \\ &= \dots \\ &= \sqrt{\bar{\alpha}_t} \mathbf{x}_0 + \sqrt{1 - \bar{\alpha}_t} \epsilon \end{aligned}$$



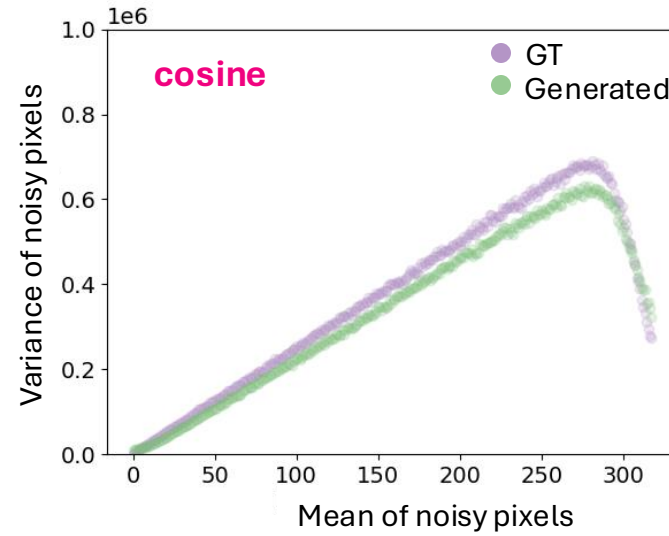
Reverse Process



x_{999}

x_t

x_0

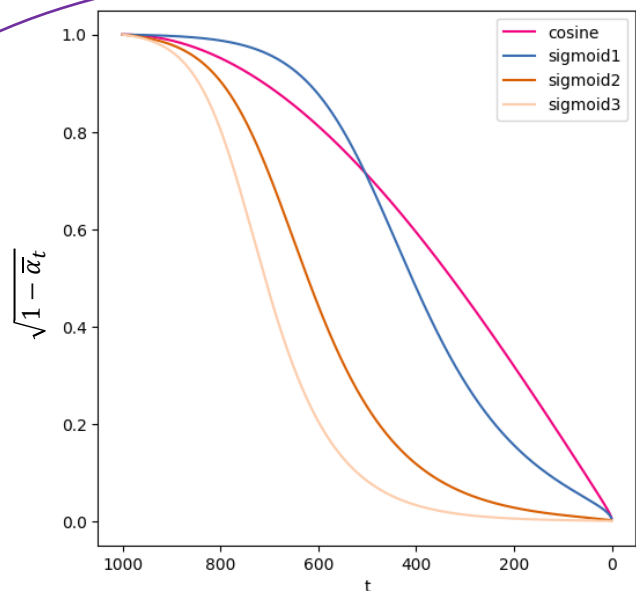


$$f_{MMSE} = \mathbb{E}[x_0 | x_t]$$

Different Diffusion Noise Schedules on 1D Poisson Distribution

A toy example

$$\begin{aligned}\mathbf{x}_t &= \sqrt{\alpha_t}\mathbf{x}_{t-1} + \sqrt{1 - \alpha_t}\epsilon_{t-1} \\ &= \sqrt{\alpha_t\alpha_{t-1}}\mathbf{x}_{t-2} + \sqrt{1 - \alpha_t\alpha_{t-1}}\bar{\epsilon}_{t-2} \\ &= \dots \\ &= \sqrt{\bar{\alpha}_t}\mathbf{x}_0 + \sqrt{1 - \bar{\alpha}_t}\epsilon\end{aligned}$$



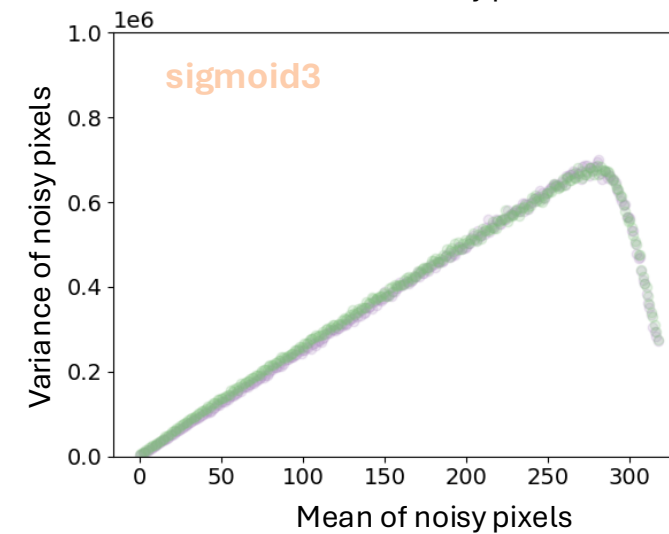
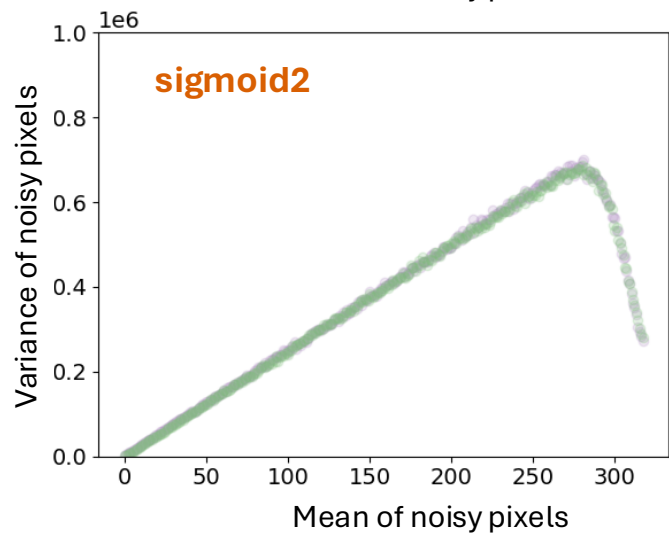
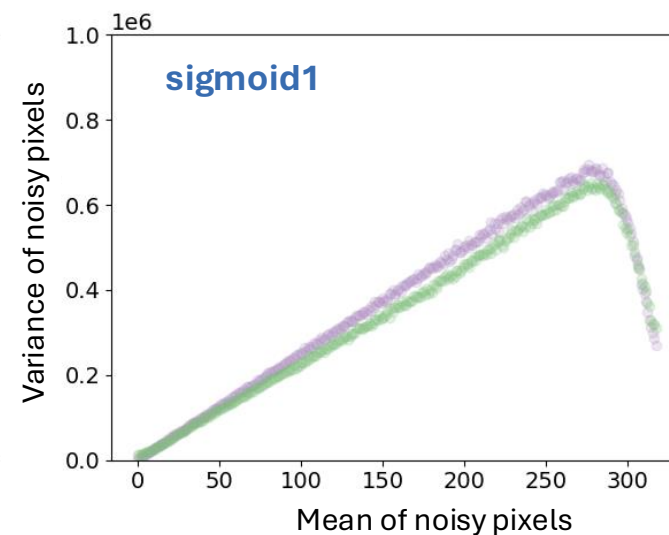
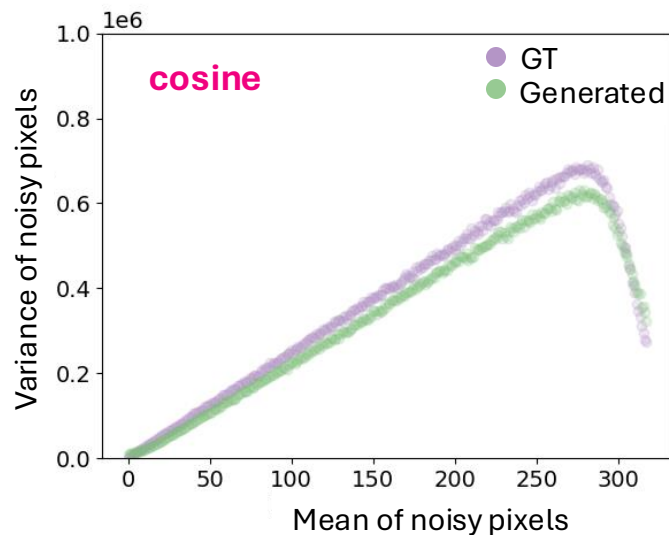
Reverse Process



x_{999}

x_t

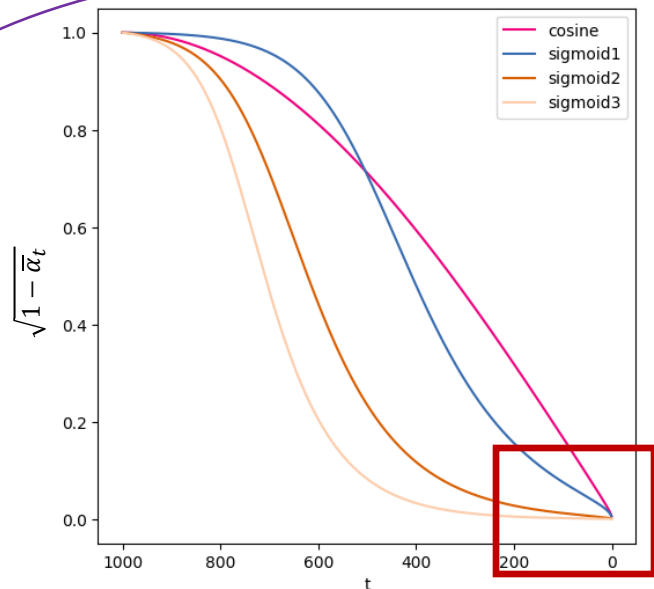
x_0



Different Diffusion Noise Schedules on 1D Poisson Distribution

A toy example

$$\begin{aligned}\mathbf{x}_t &= \sqrt{\alpha_t}\mathbf{x}_{t-1} + \sqrt{1 - \alpha_t}\epsilon_{t-1} \\ &= \sqrt{\alpha_t\alpha_{t-1}}\mathbf{x}_{t-2} + \sqrt{1 - \alpha_t\alpha_{t-1}}\bar{\epsilon}_{t-2} \\ &= \dots \\ &= \sqrt{\bar{\alpha}_t}\mathbf{x}_0 + \sqrt{1 - \bar{\alpha}_t}\epsilon\end{aligned}$$



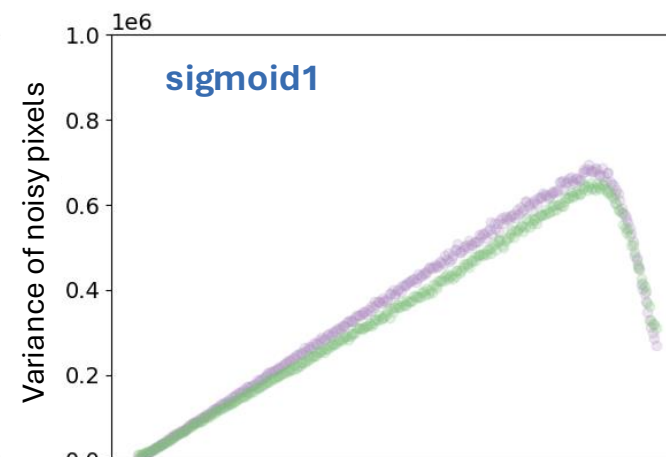
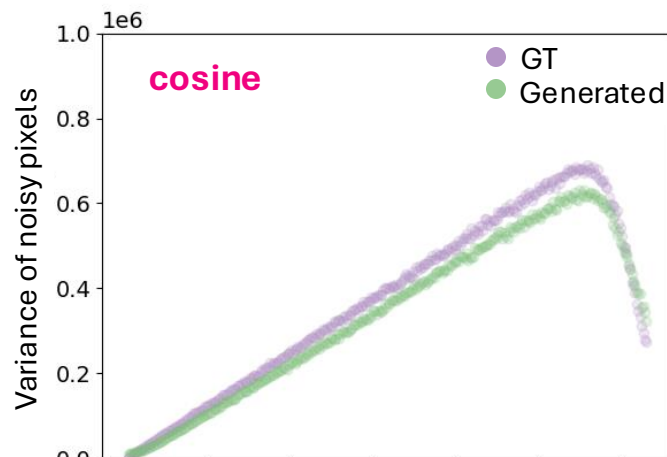
Reverse Process



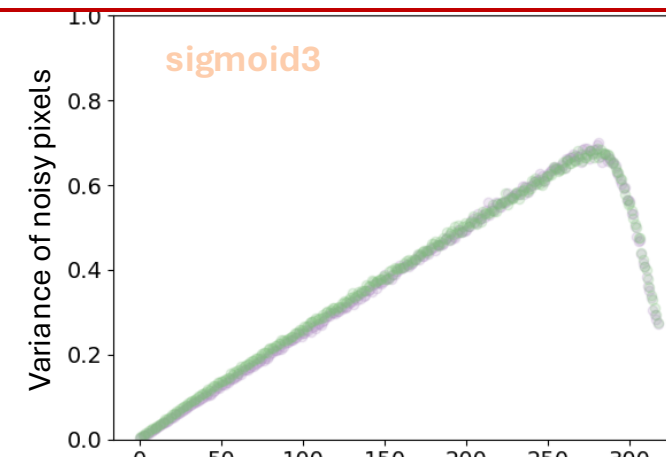
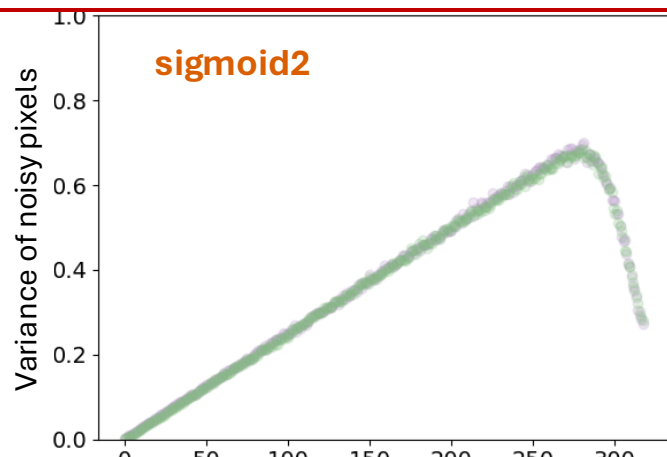
x_{999}

x_t

x_0



Noise schedules with lower slopes yield better results



Mean of noisy pixels

Mean of noisy pixels



Generated Results

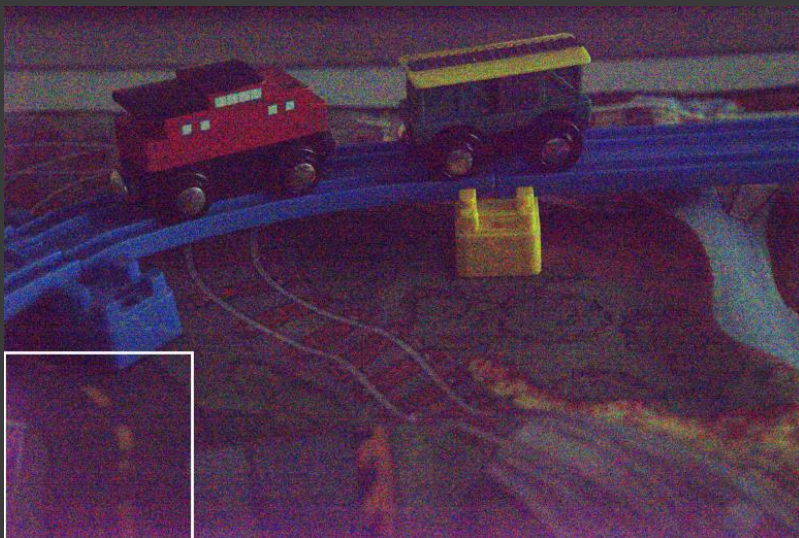
Generated-Noise Visualization

ISO 6400

Clean image



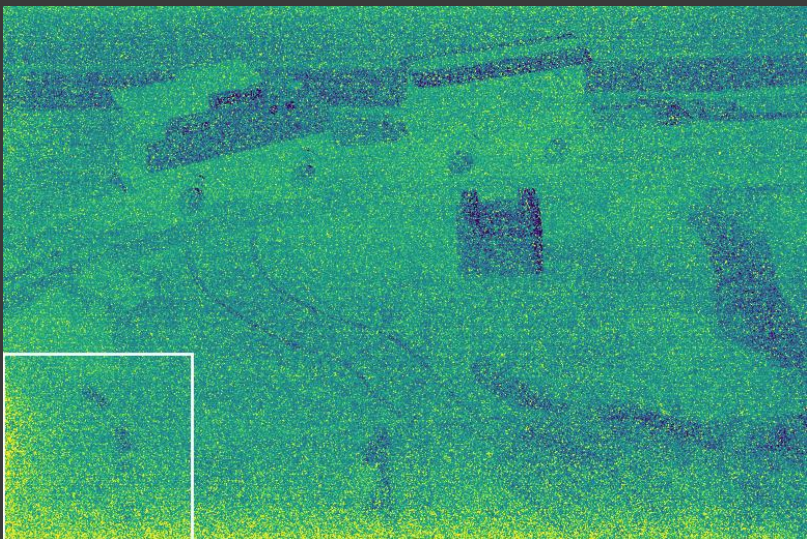
Real noisy image



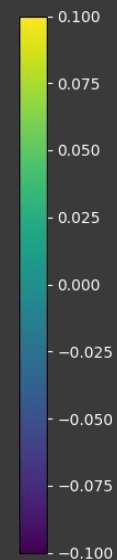
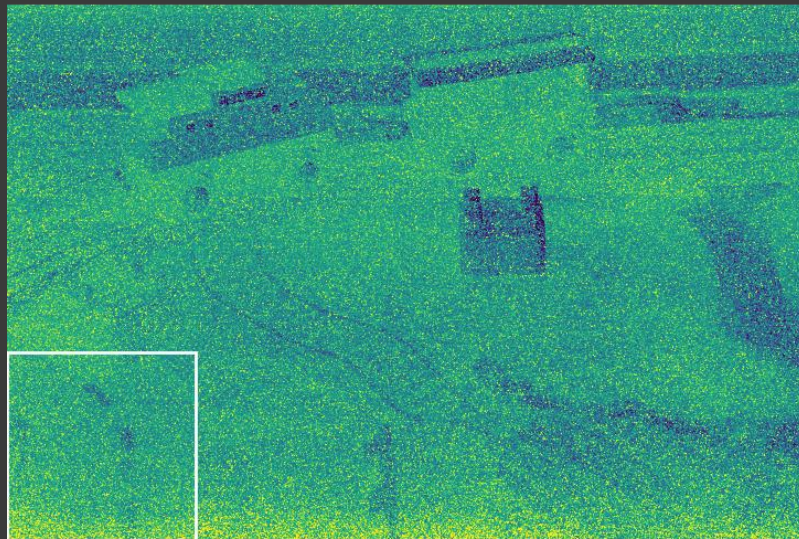
Generated noisy image



Real noise image



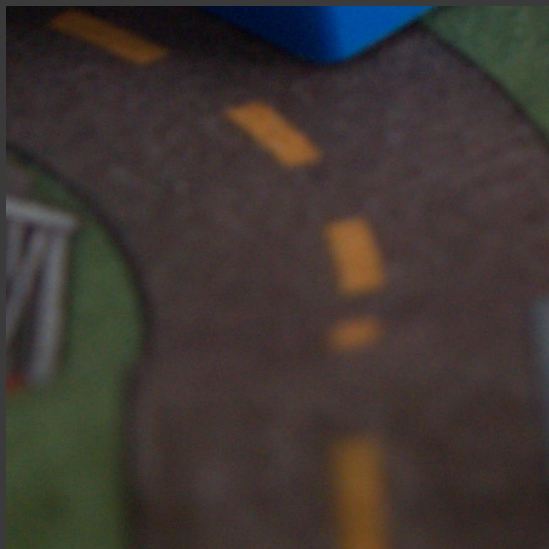
Generated noise image



Generated-Noise Visualization

ISO 6400 (Zoomed In)

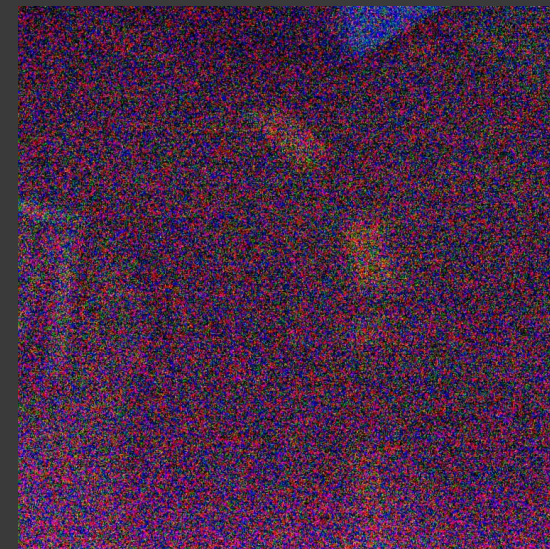
Clean image



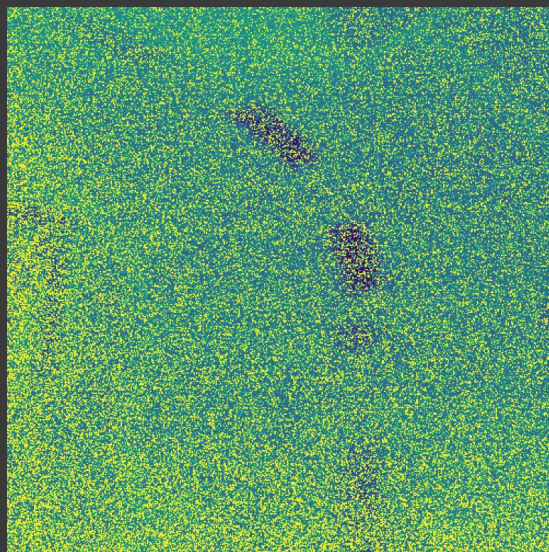
Real noisy image



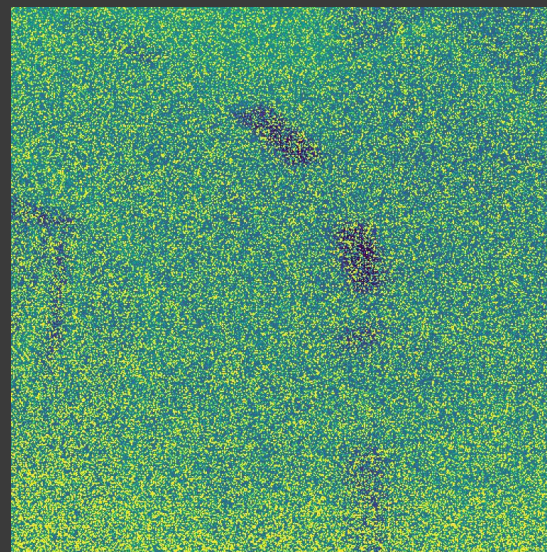
Generated noisy image



Real noise image



Generated noise image



Generated-Noise Visualization

ISO 200

Clean image



Real noisy image



Generated noisy image



Real noise image



Generated noise image



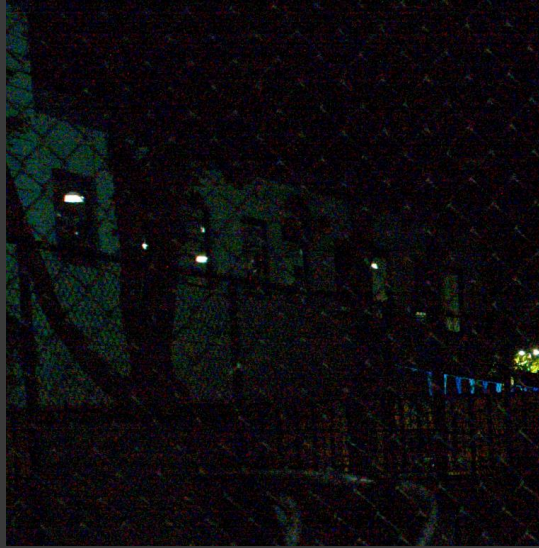
Generated-Noise Visualization

ISO 200 (Zoomed In)

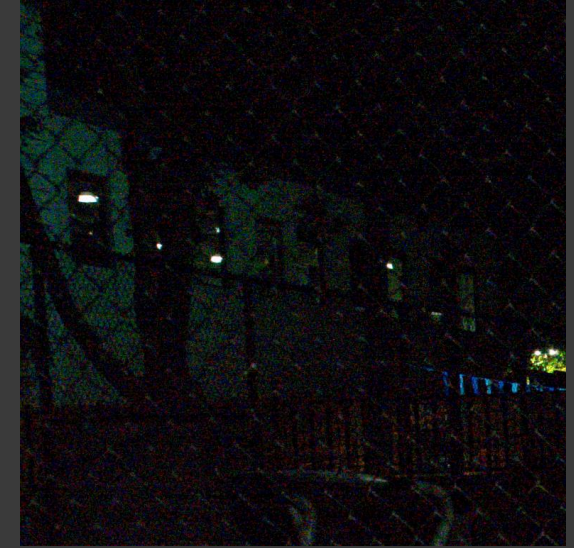
Clean image



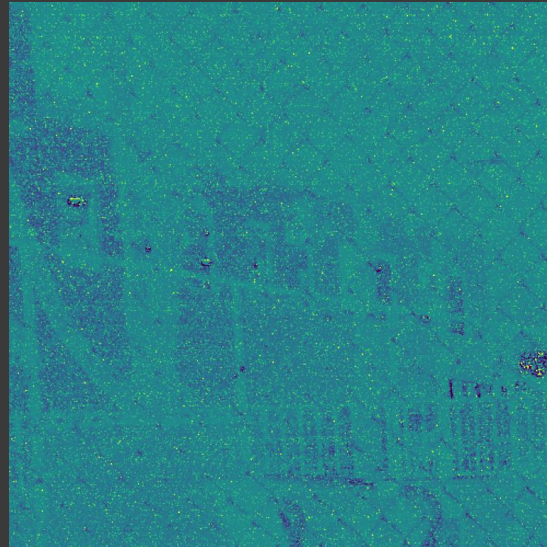
Real noisy image



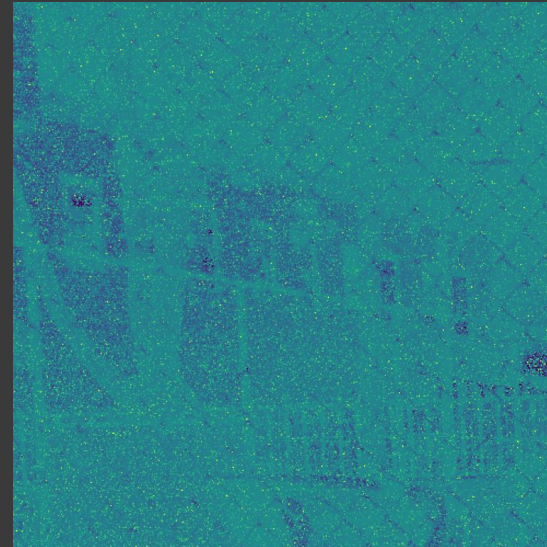
Generated noisy image



Real noise image



Generated noise image

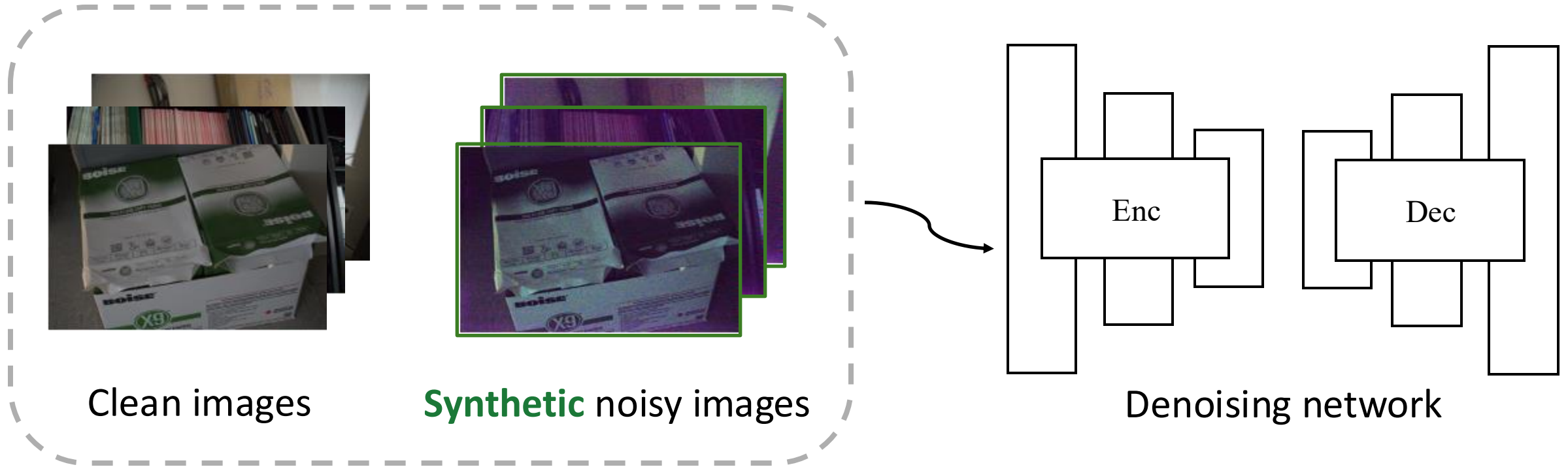




Denoising Training with Synthetic data

Denoising Results

Denoising network trained with synthetic data



Denoising Results

Denoising network trained with synthetic data

PSNR / SSIM:

Dataset	Ratio	<i>Real Paired</i>	Poisson-Gaussian	ELD	Starlight	NoiseFlow	Ours
SID	× 100	42.95 / 0.958	41.05 / 0.936	<u>41.95</u> / <u>0.953</u>	40.47 / 0.926	40.20 / 0.925	43.30 / 0.958
	× 250	40.27 / 0.943	36.63 / 0.885	<u>39.44</u> / <u>0.931</u>	36.25 / 0.858	36.15 / 0.870	40.53 / 0.944
	× 300	37.32 / 0.928	33.34 / 0.811	<u>36.36</u> / <u>0.911</u>	32.99 / 0.780	33.27 / 0.803	37.68 / 0.928
ELD	× 100	45.52 / 0.977	44.28 / 0.936	<u>45.45</u> / 0.975	43.80 / 0.936	43.31 / 0.941	45.79 / 0.972
	× 200	41.70 / 0.912	41.16 / 0.885	43.43 / 0.954	40.86 / 0.884	40.26 / 0.885	<u>42.25</u> / <u>0.924</u>

ELD: A Physics-based Noise Formation Model for Extreme Low-light Raw Denoising, Wei *et al*, CVPR2020

Starlight: Dancing under the stars: video denoising in starlight, Kristina, et al, CVPR2022.

Noise Flow: Noise Modeling with Conditional Normalizing Flows, Abdelhamed *et al*, ICCV2019

LRD: Towards General Low-Light Raw Noise Synthesis and Modeling, Zhang *et al*, ICCV2023

PMN: Learnability Enhancement for Low-light Raw Denoising: A Data Perspective, Feng *et al*, TPAMI 2024

Denoising Results

Denoising network trained with synthetic data

PSNR / SSIM (with calibration data):

Dataset	Ratio	PMN	LRD	Ours*
SID	× 100	<u>43.47</u> / 0.961	43.16 / 0.958	43.92 / 0.961
	× 250	<u>41.04</u> / 0.947	40.69 / 0.941	41.28 / <u>0.946</u>
	× 300	<u>37.87</u> / 0.934	37.48 / 0.919	37.94 / <u>0.930</u>
ELD	× 100	46.99 / 0.984	46.16 / 0.983	<u>46.95</u> / <u>0.978</u>
	× 200	<u>44.85</u> / <u>0.969</u>	43.91 / 0.968	45.11 / 0.971

ELD: A Physics-based Noise Formation Model for Extreme Low-light Raw Denoising, Wei *et al*, CVPR2020

Starlight: Dancing under the stars: video denoising in starlight, Kristina, et al, CVPR2022.

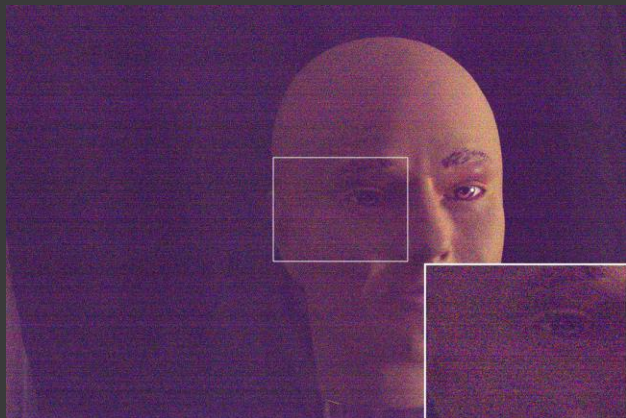
Noise Flow: Noise Modeling with Conditional Normalizing Flows, Abdelhamed *et al*, ICCV2019

LRD: Towards General Low-Light Raw Noise Synthesis and Modeling, Zhang *et al*, ICCV2023

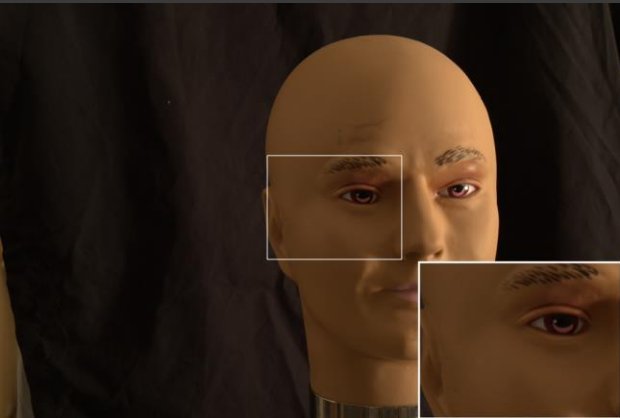
PMN: Learnability Enhancement for Low-light Raw Denoising: A Data Perspective, Feng *et al*, TPAMI 2024

Denoising Results

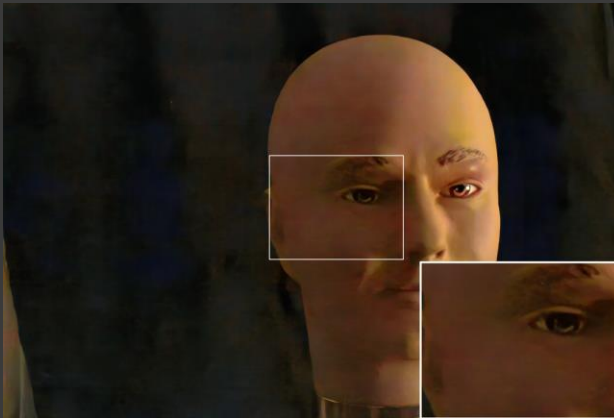
Noisy input



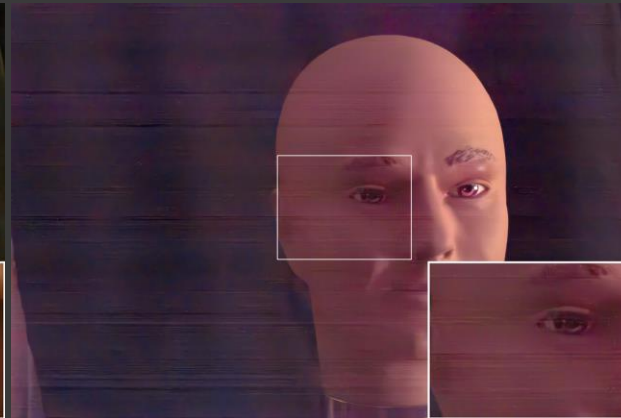
Reference



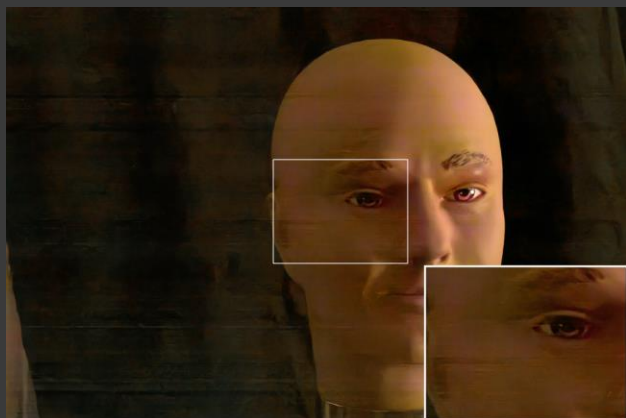
Paired real data



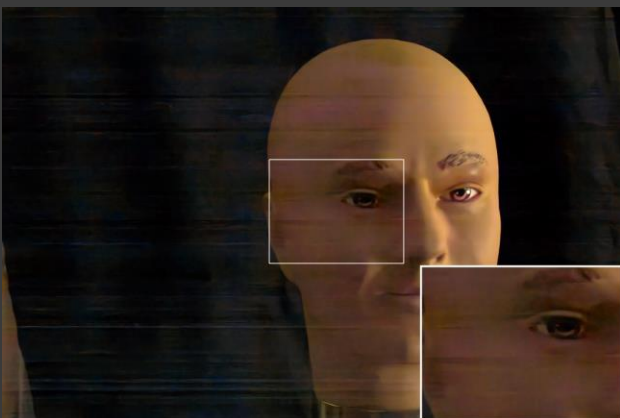
Poisson-Gaussian



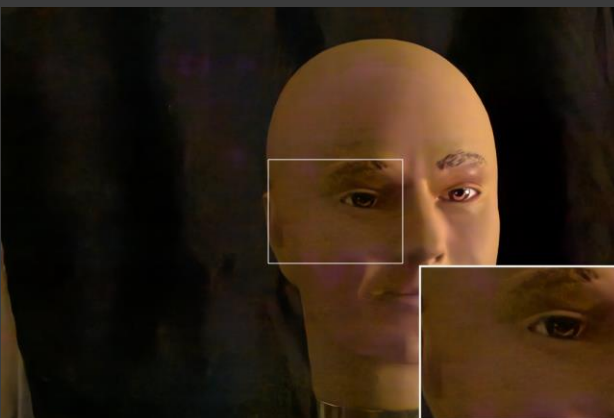
ELD



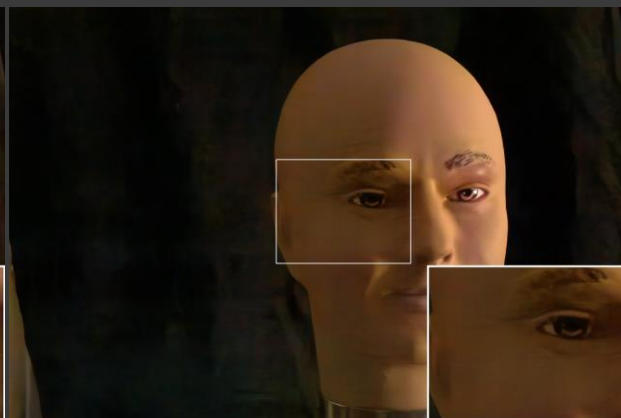
LRD



PMN

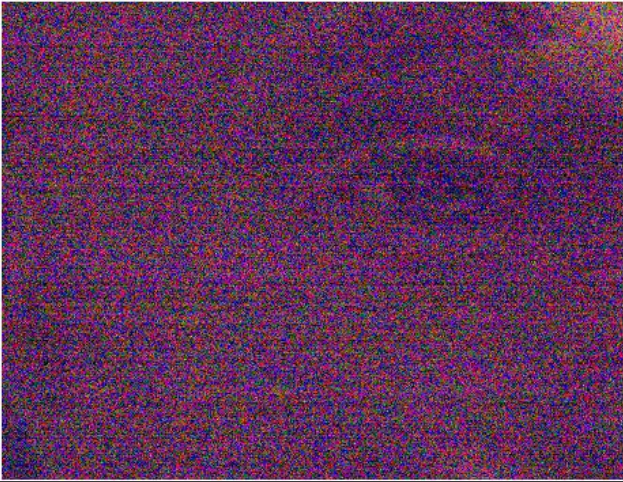


Ours



Denoising Results (Zoomed In)

Noisy input



Reference



Paired real data



Poisson-Gaussian



ELD



LRD



PMN

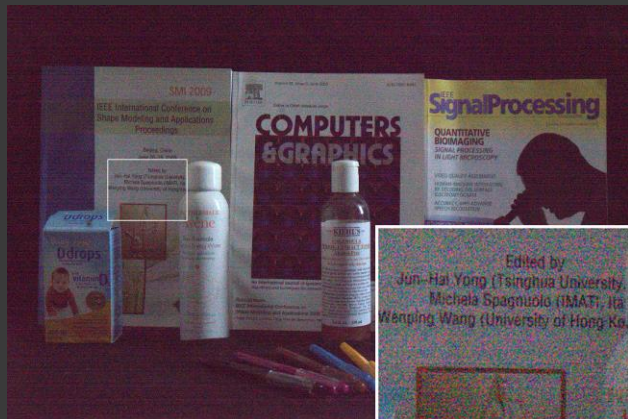


Ours

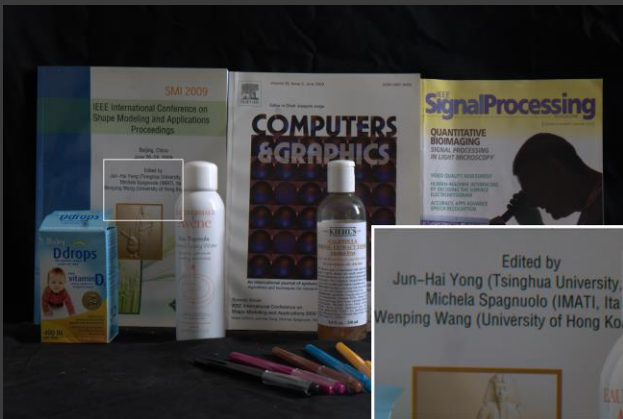


Denoising Results

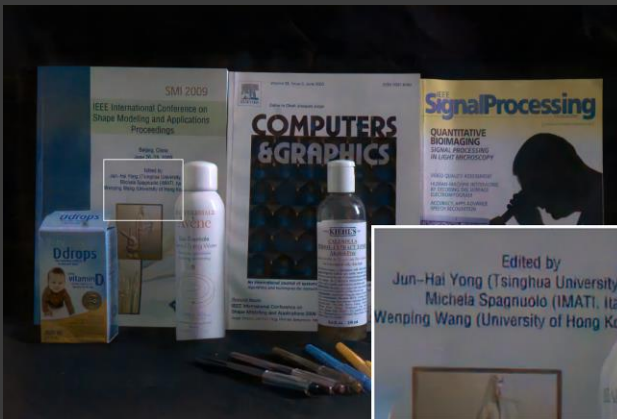
Noisy input



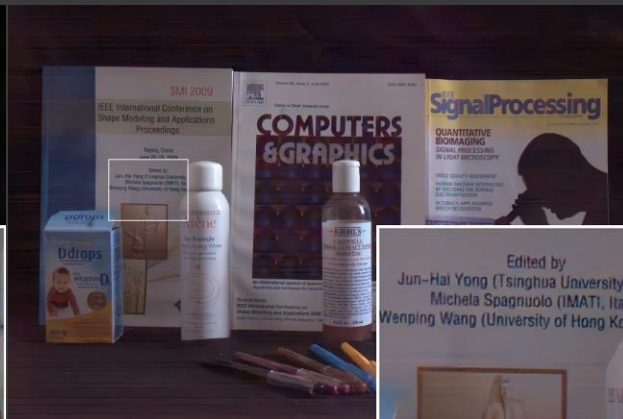
Reference



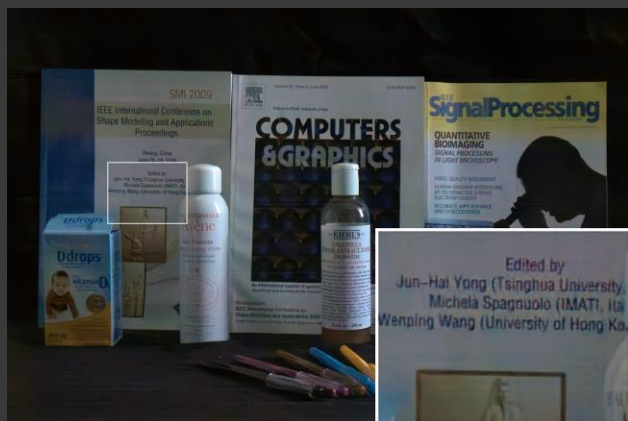
Paired real data



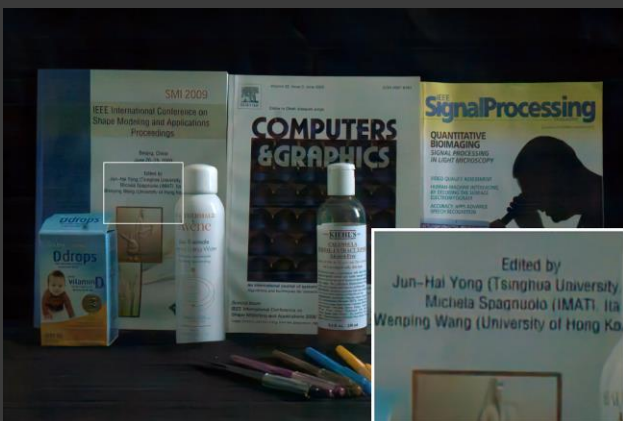
Poisson-Gaussian



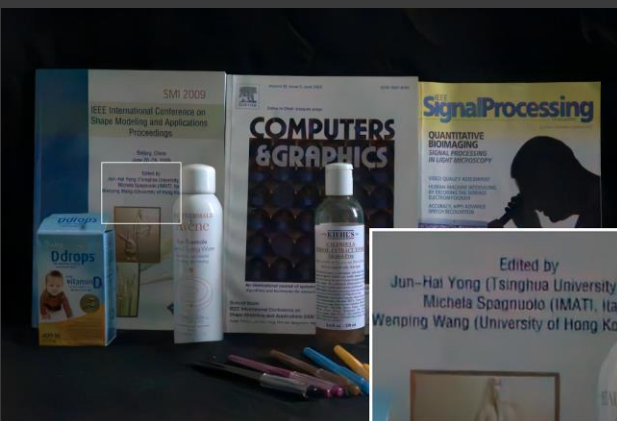
ELD



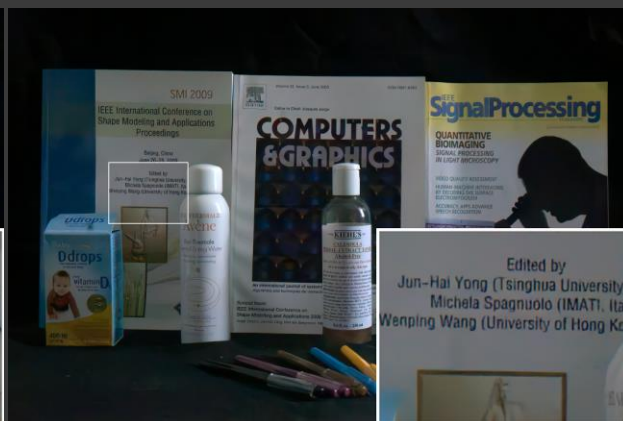
LRD



PMN

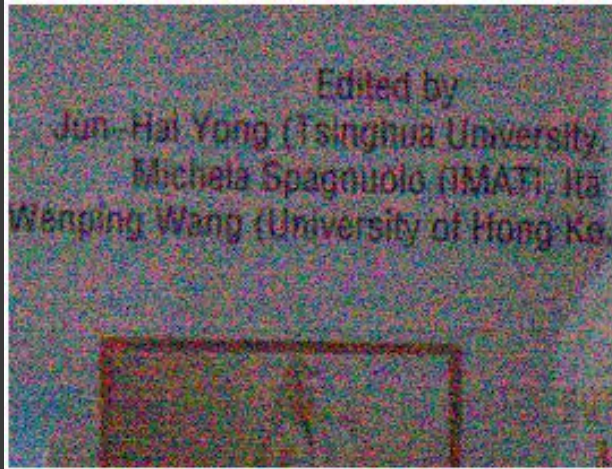


Ours

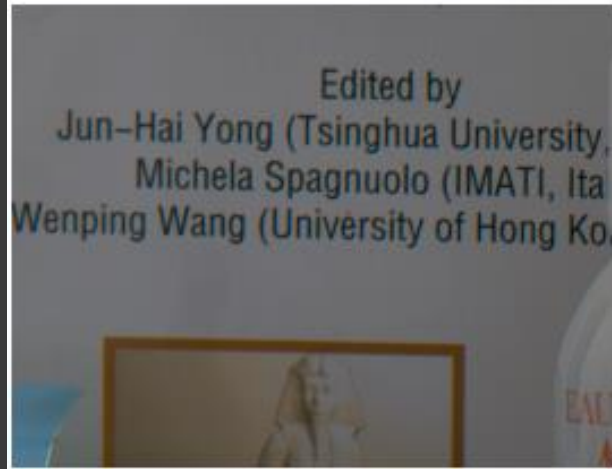


Denoising Results (Zoomed In)

Noisy input



Reference



Paired real data



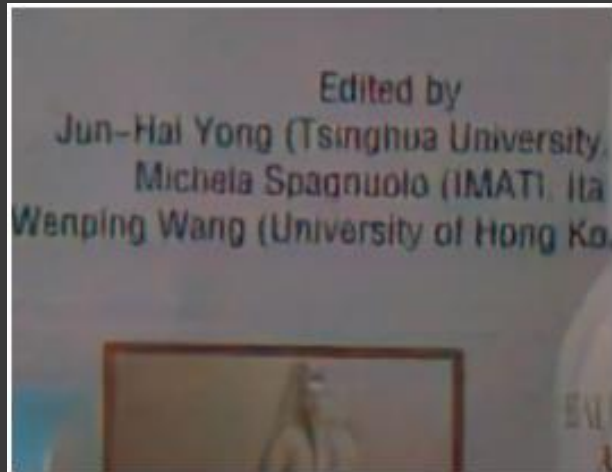
Poisson-Gaussian



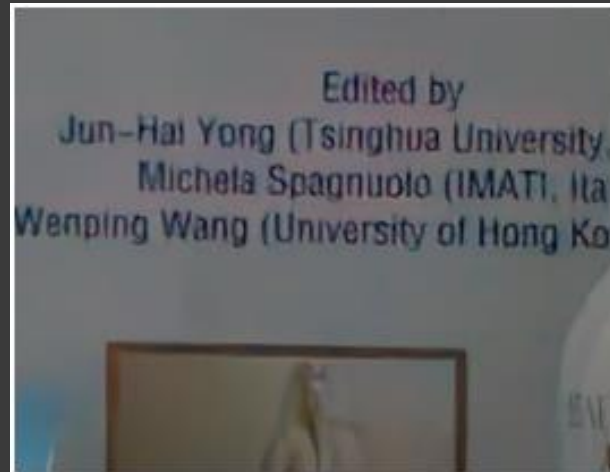
ELD



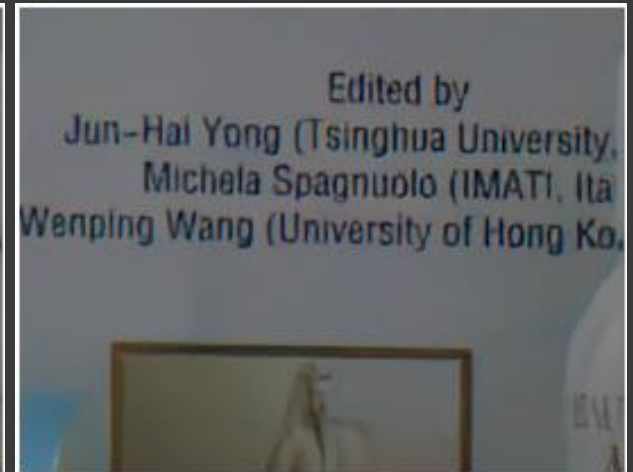
LRD



PMN



Ours



Denoising Results

Noisy input



Reference



Paired real data



Poisson-Gaussian



ELD



LRD



PMN

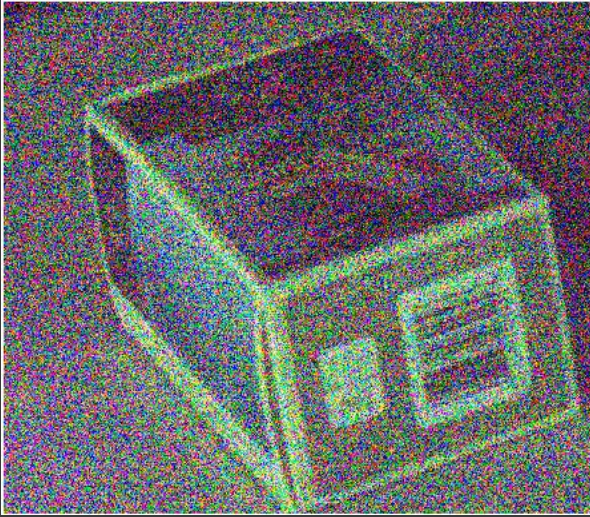


Ours



Denoising Results (Zoomed In)

Noisy input



Reference



Paired real data



Poisson-Gaussian



ELD



LRD



PMN



Ours



Denoising Results

Noisy input



Reference



Paired real data



Poisson-Gaussian



ELD



LRD



PMN



Ours

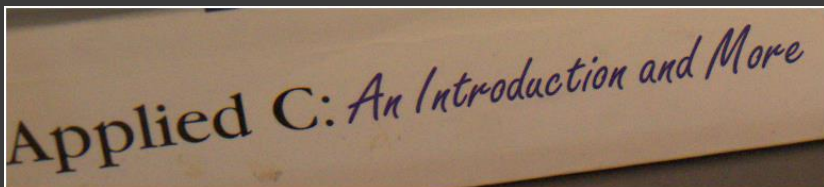


Denoising Results (Zoomed In)

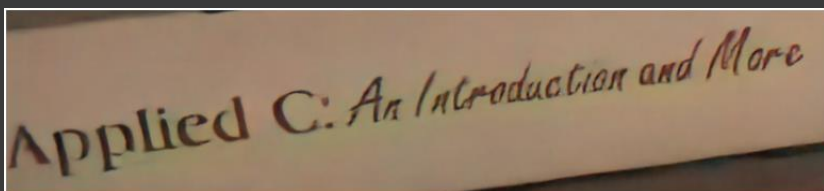
Noisy input



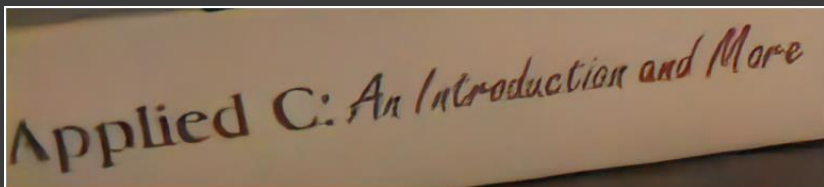
Reference



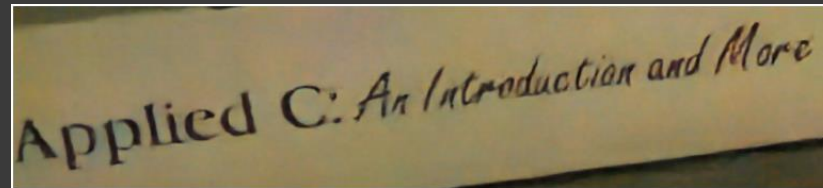
Paired real data



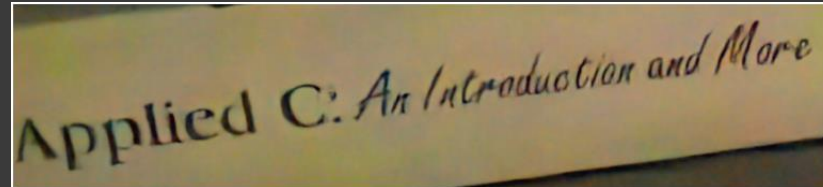
Poisson-Gaussian



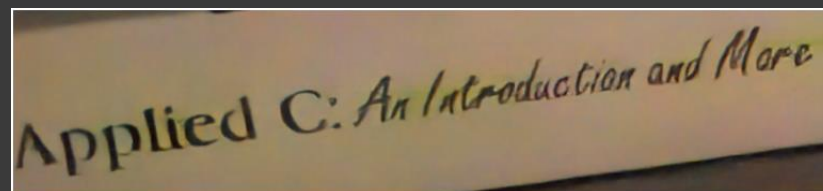
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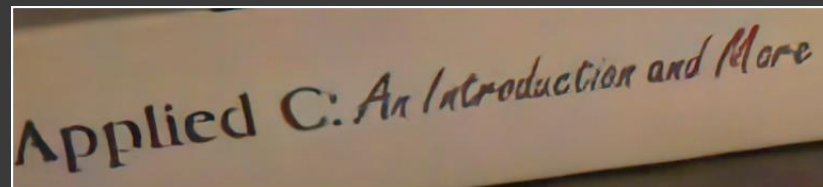
LRD



PMN



Ours



Conclusions

- *A novel diffusion framework for low-light noise generation*
the denoising network trained with our synthetic data achieves the **best results**
- *Two-branch network*
effectively model **different noise components**
- *Positional encoding*
helpful for modeling **spatially-correlated noise**
- *Proper diffusion noise schedule*
essential for preserving **noise variance**
- *Limitation*
still require **real data pairs** for training the diffusion network

GRETSI Paper Link



Extended Paper Link



Code Link



Thank you!



Liying Lu*



Raphaël Achddou



Sabine Süsstrunk

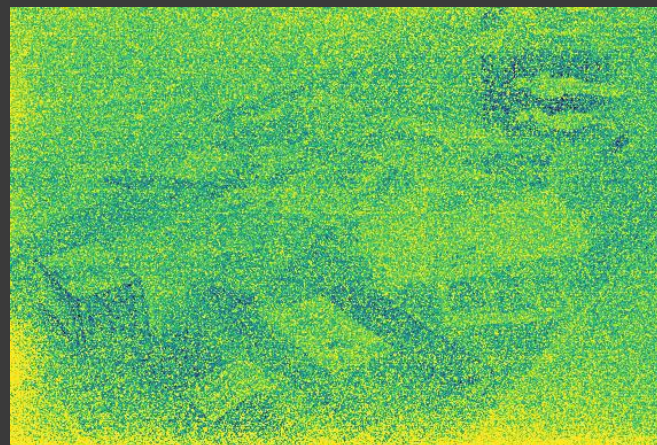
Ablations

Diffusion network: with positional encoding

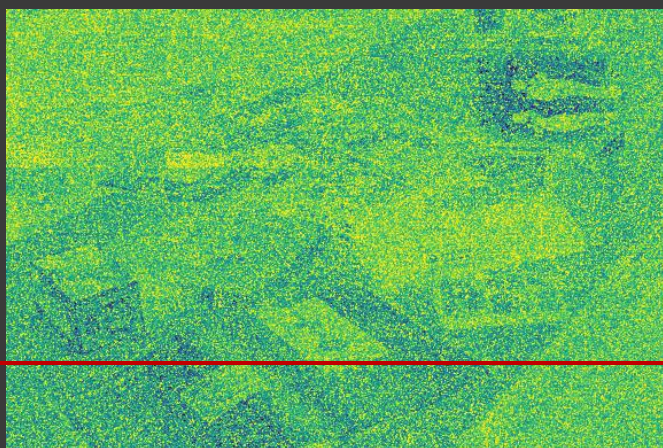
Real clean image / noisy image



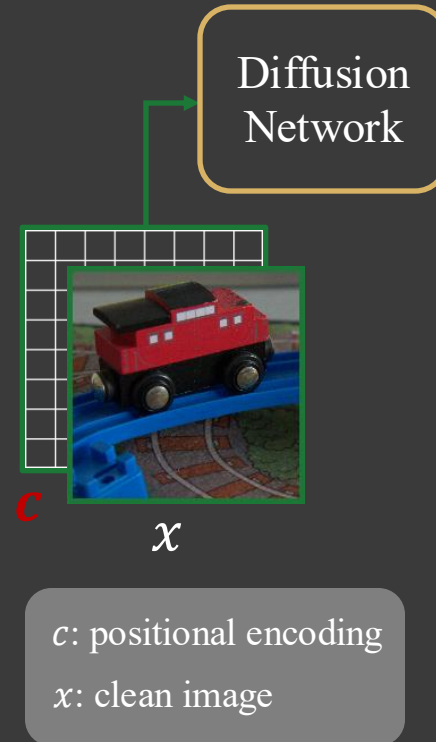
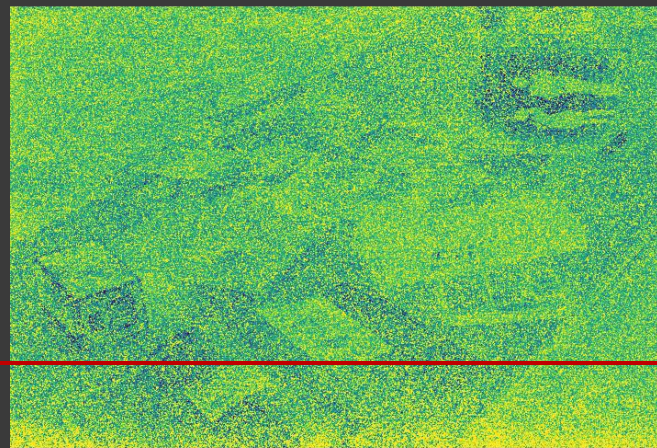
Real noise image



W/o positional encoding



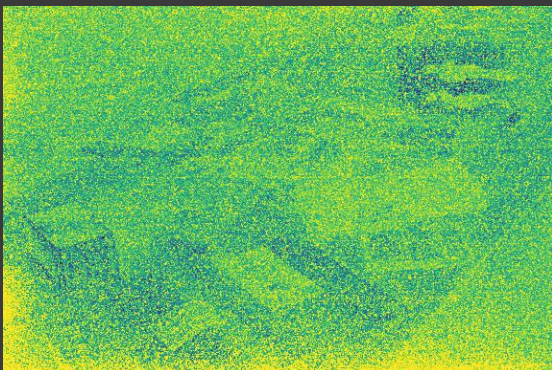
Ours



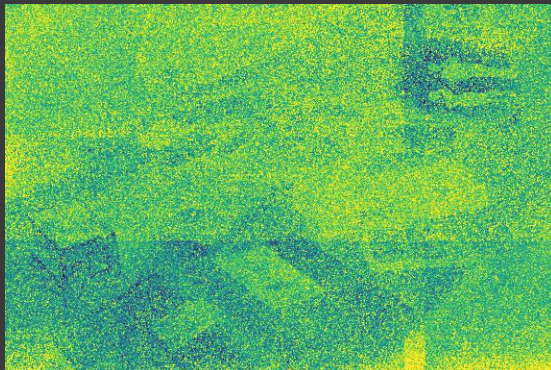
Ablations

Diffusion network: two-branch architecture

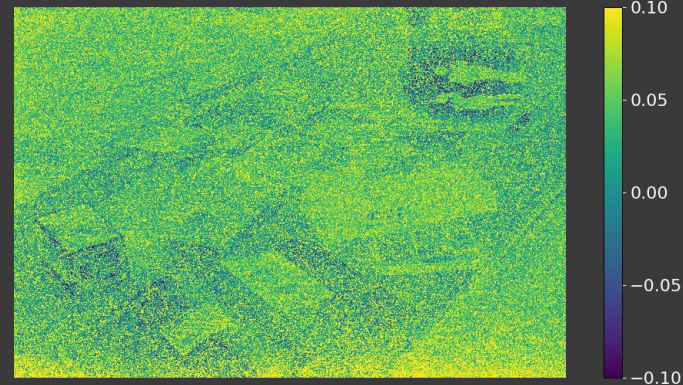
Real noise image



UNet-only



UNet+MLP



Real clean / noisy image

